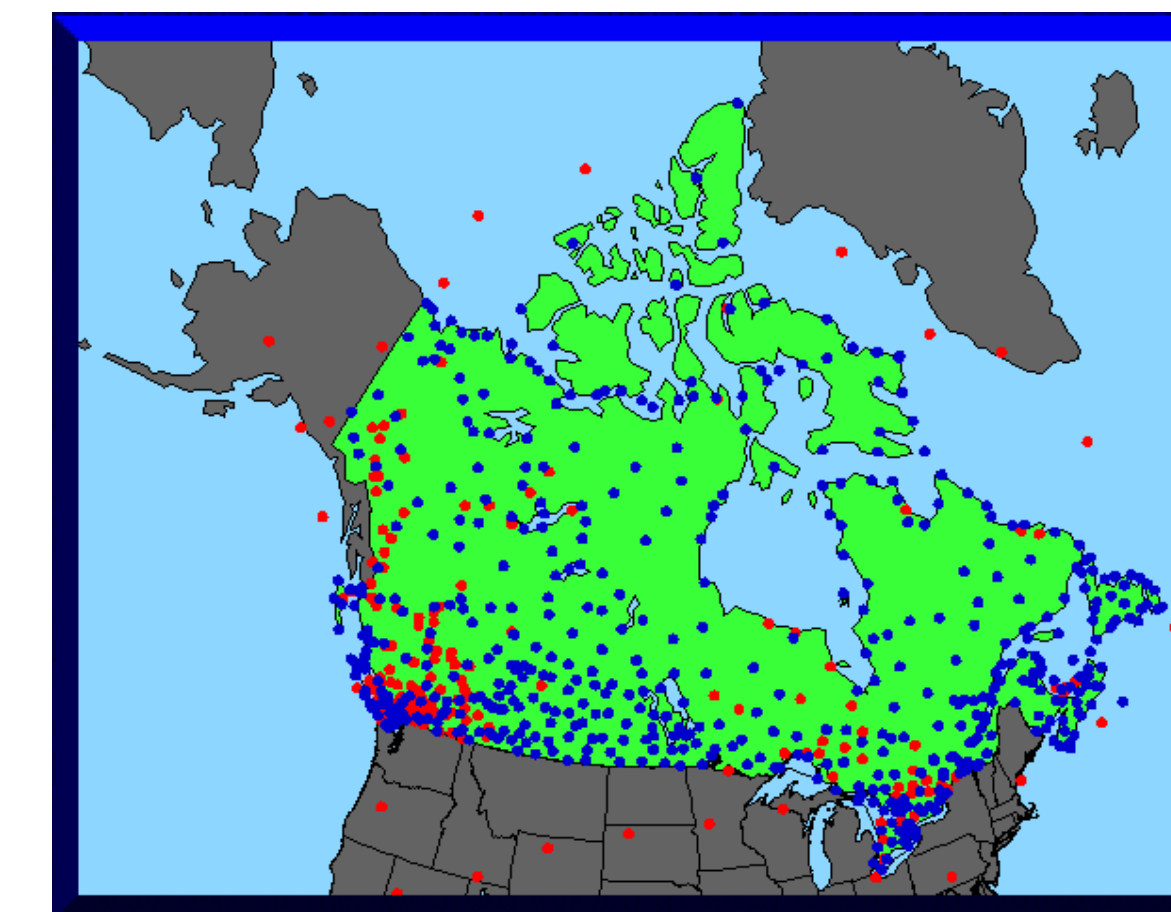




A block bootstrapping method for verification of the Canadian NWP model



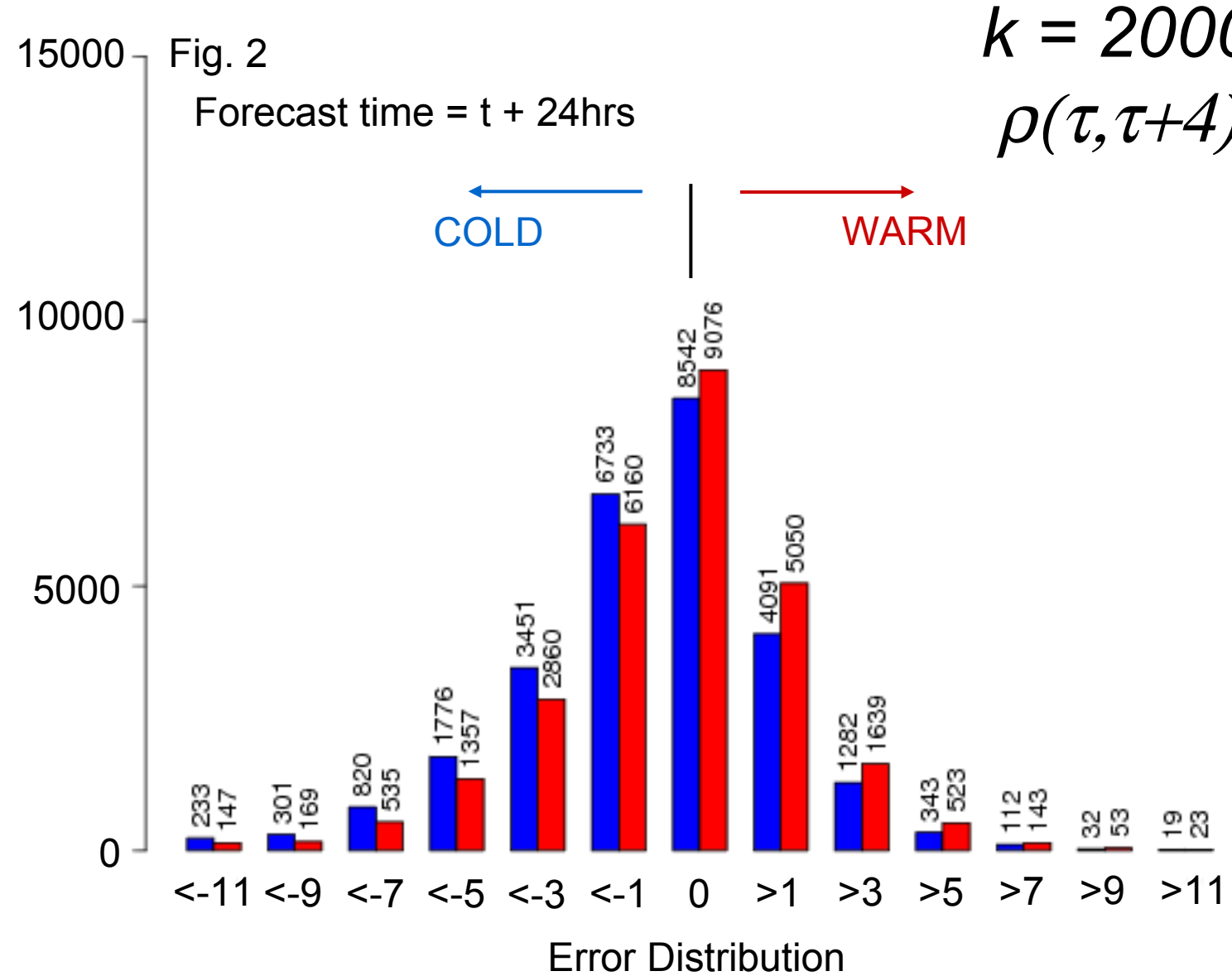
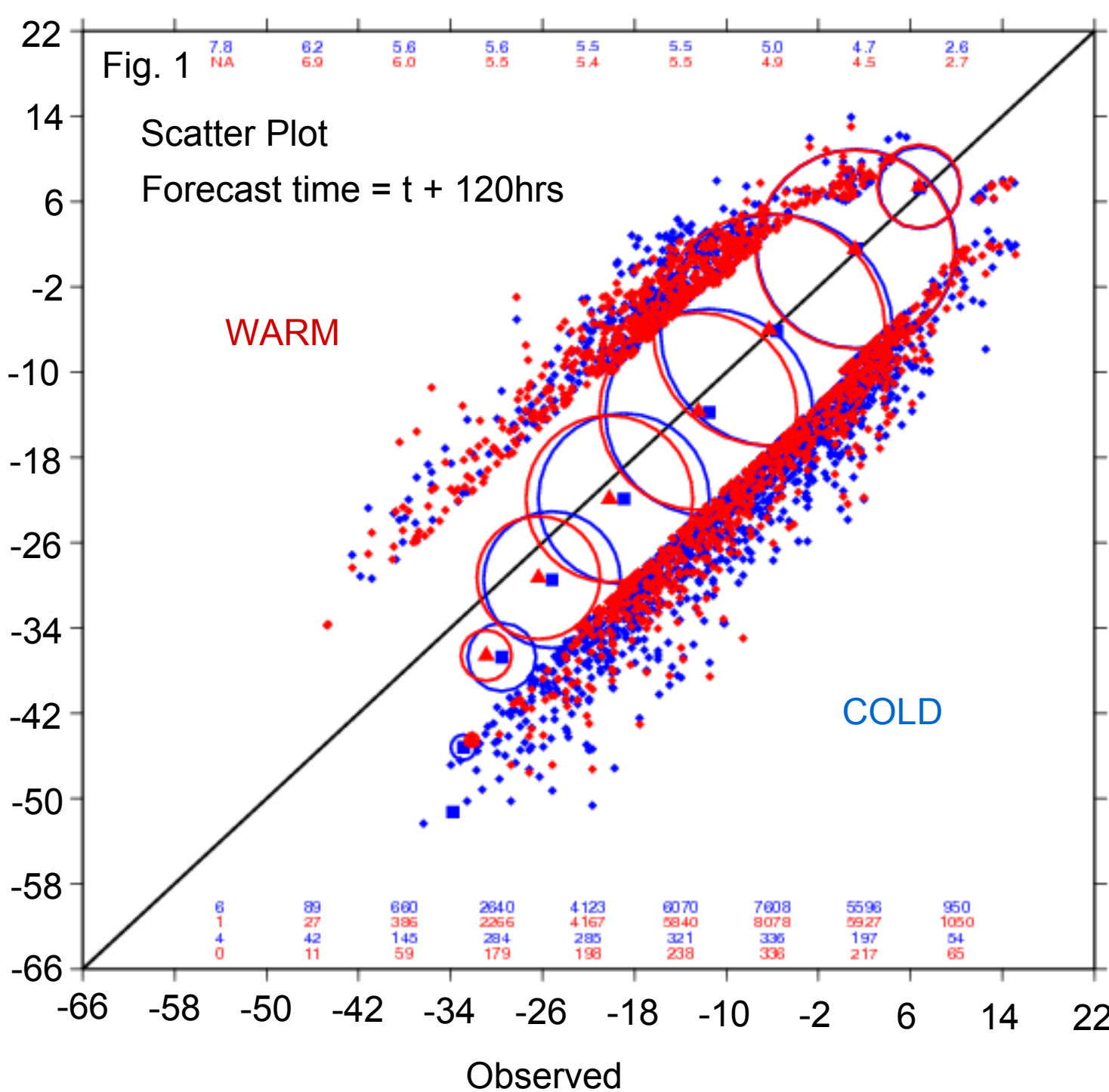
512 Canadian Stations



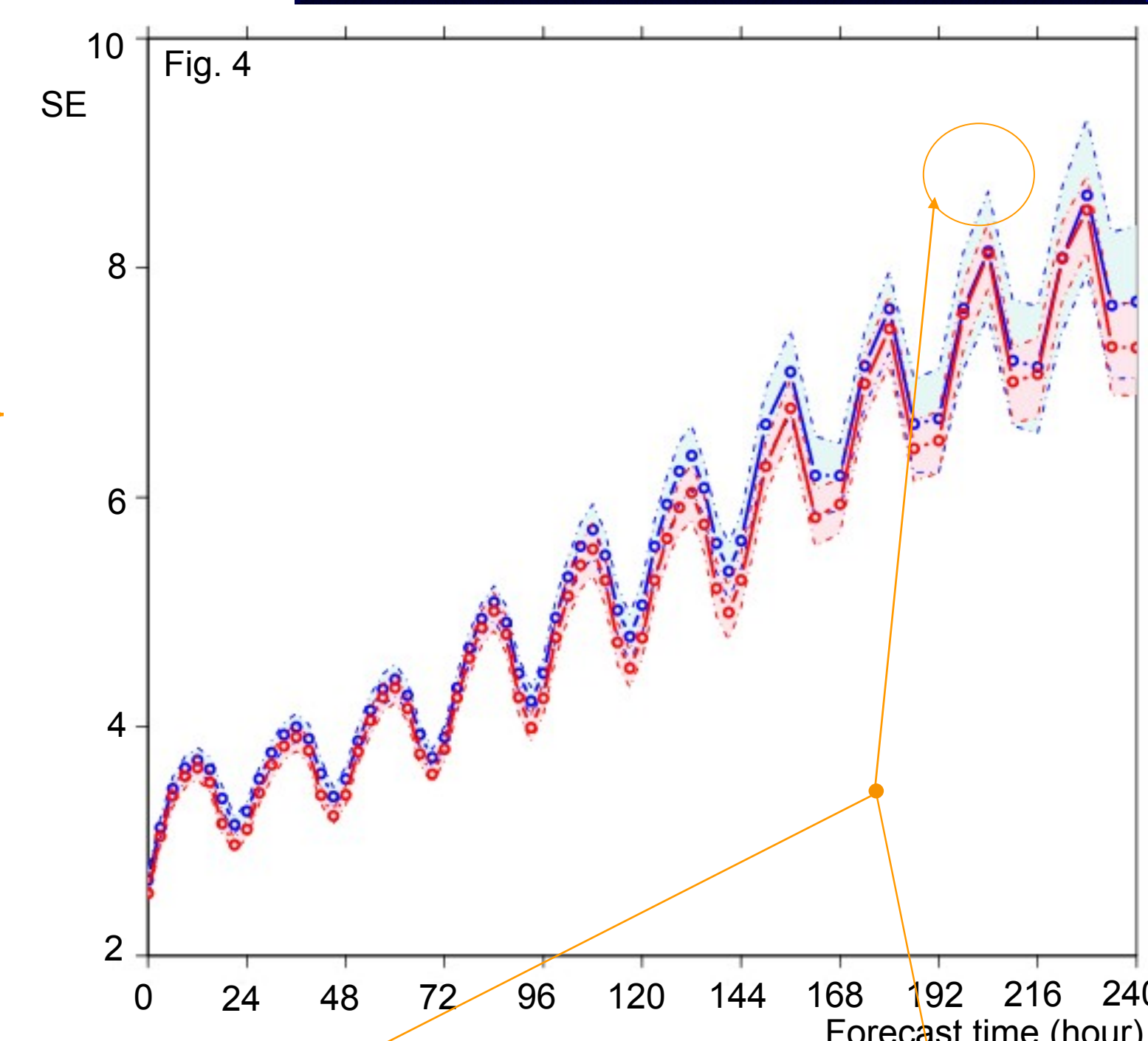
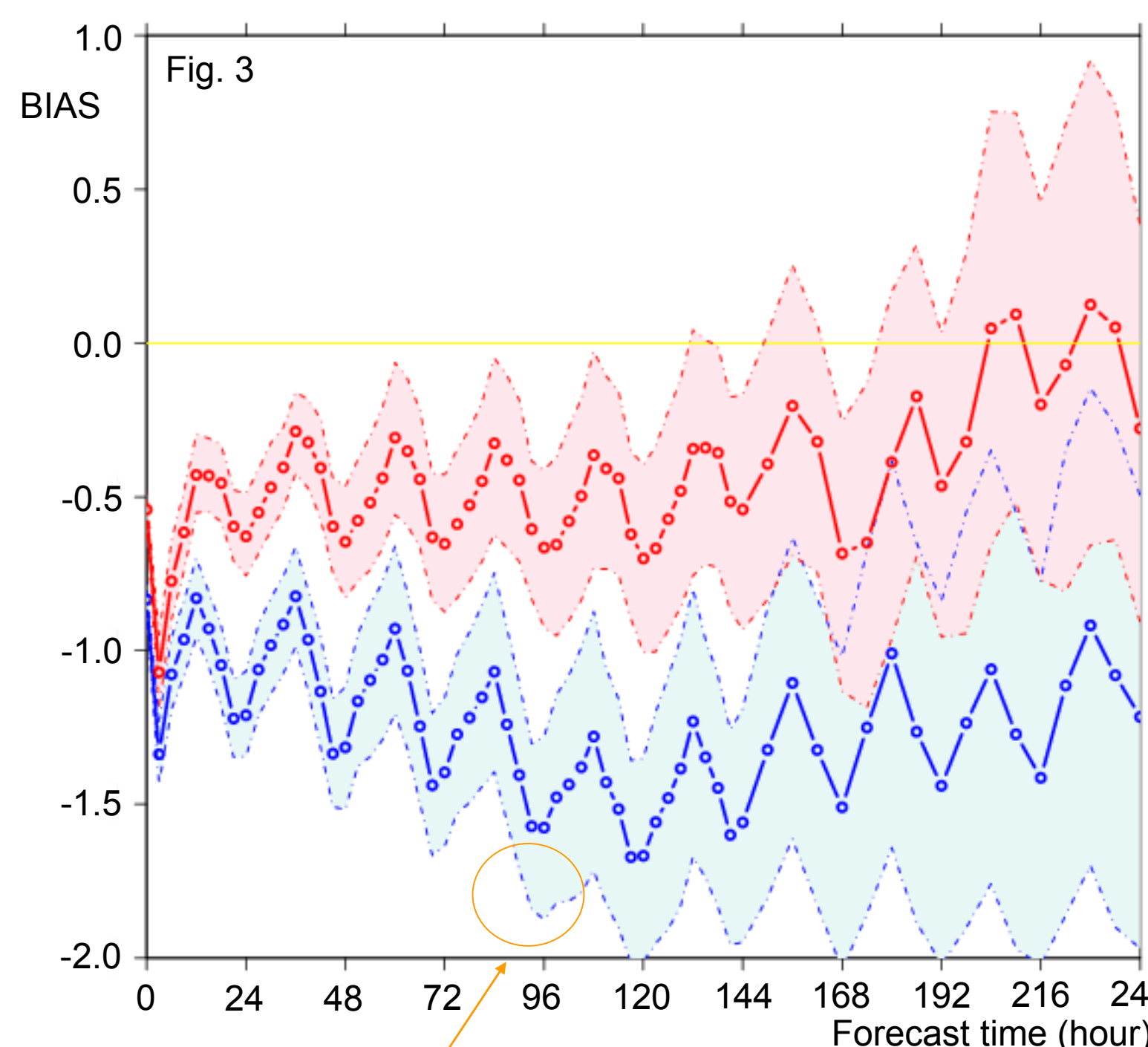
Verification Period 20 December 2006 to 28 February 2007	00 GMT model run <div style="display: flex; align-items: center;"> <div style="width: 10px; height: 10px; background-color: red; margin-right: 5px;"></div> Proposed model </div> <div style="display: flex; align-items: center;"> <div style="width: 10px; height: 10px; background-color: blue; margin-right: 5px;"></div> Operational model </div>
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Surface Temperature (2 m)

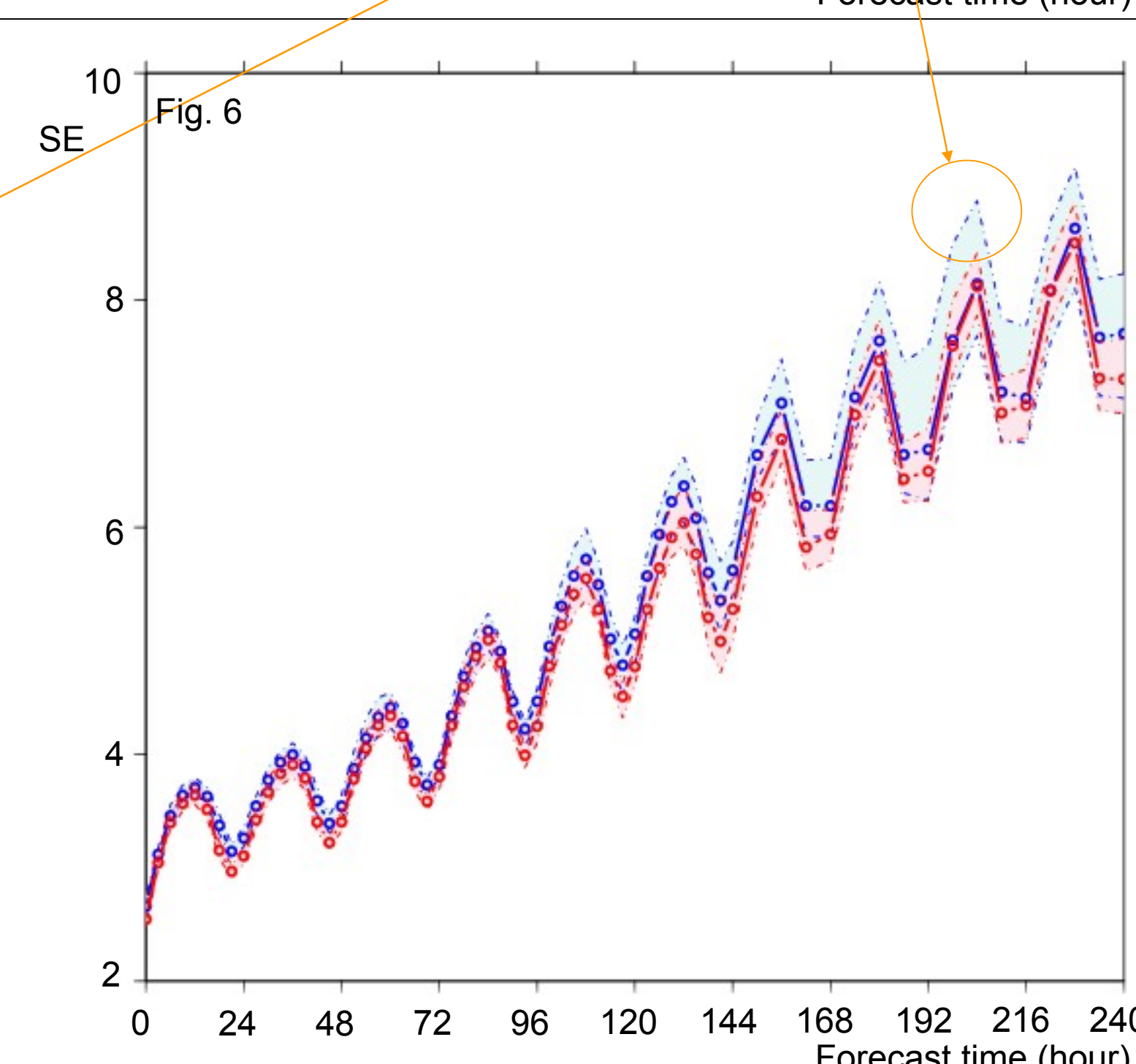
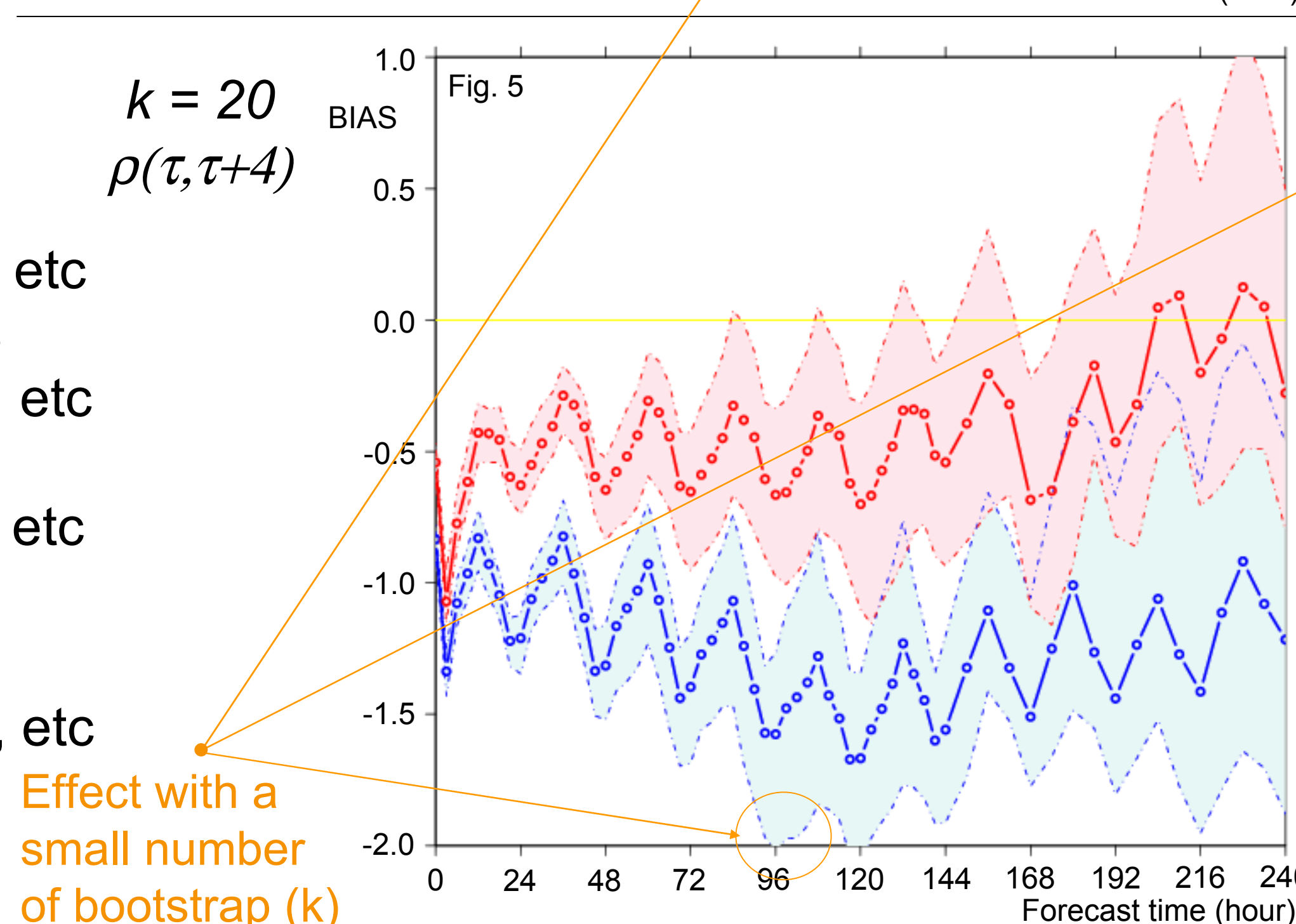


$k = 2000$
 $\rho(\tau, \tau+4)$

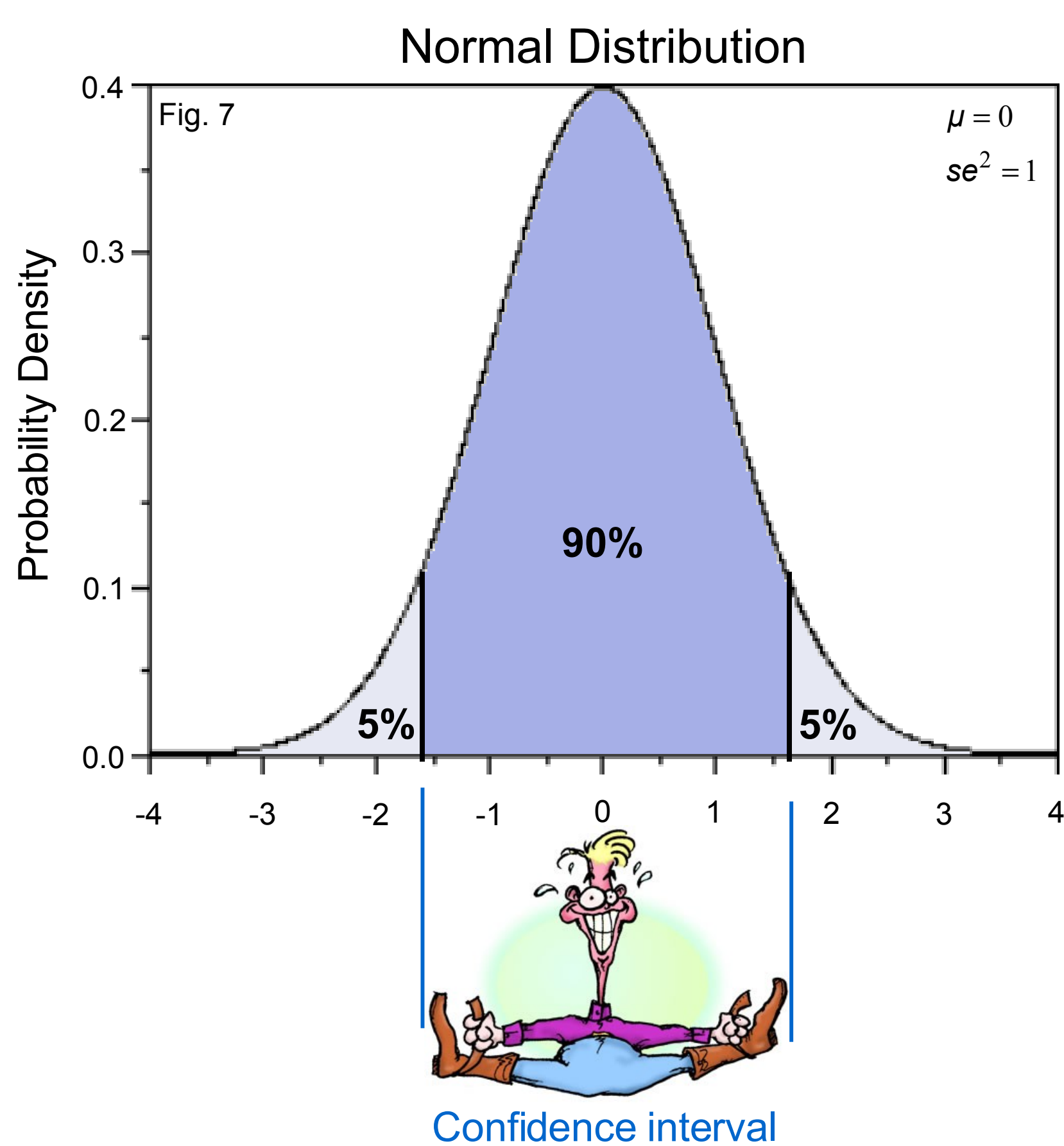


- \hat{F} = estimate of the probability distribution F , from the data set $(x_1, x_2, x_3, \dots, x_n)$
- $\hat{F}^1 \rightarrow (x_1^1, x_2^1, x_3^1, \dots, x_n^1)$ x_i^1 = set 1 of n members, some members randomly appearing zero, once, twice, etc
- $\hat{F}^2 \rightarrow (x_1^2, x_2^2, x_3^2, \dots, x_n^2)$ x_i^2 = set 2 of n members, some members randomly appearing zero, once, twice, etc
- $\hat{F}^3 \rightarrow (x_1^3, x_2^3, x_3^3, \dots, x_n^3)$ x_i^3 = set 3 of n members, some members randomly appearing zero, once, twice, etc
- \vdots
- $\hat{F}^k \rightarrow (x_1^k, x_2^k, x_3^k, \dots, x_n^k)$ x_i^k = set k of n members, some members randomly appearing zero, once, twice, etc

$k = 20$
 $\rho(\tau, \tau+4)$

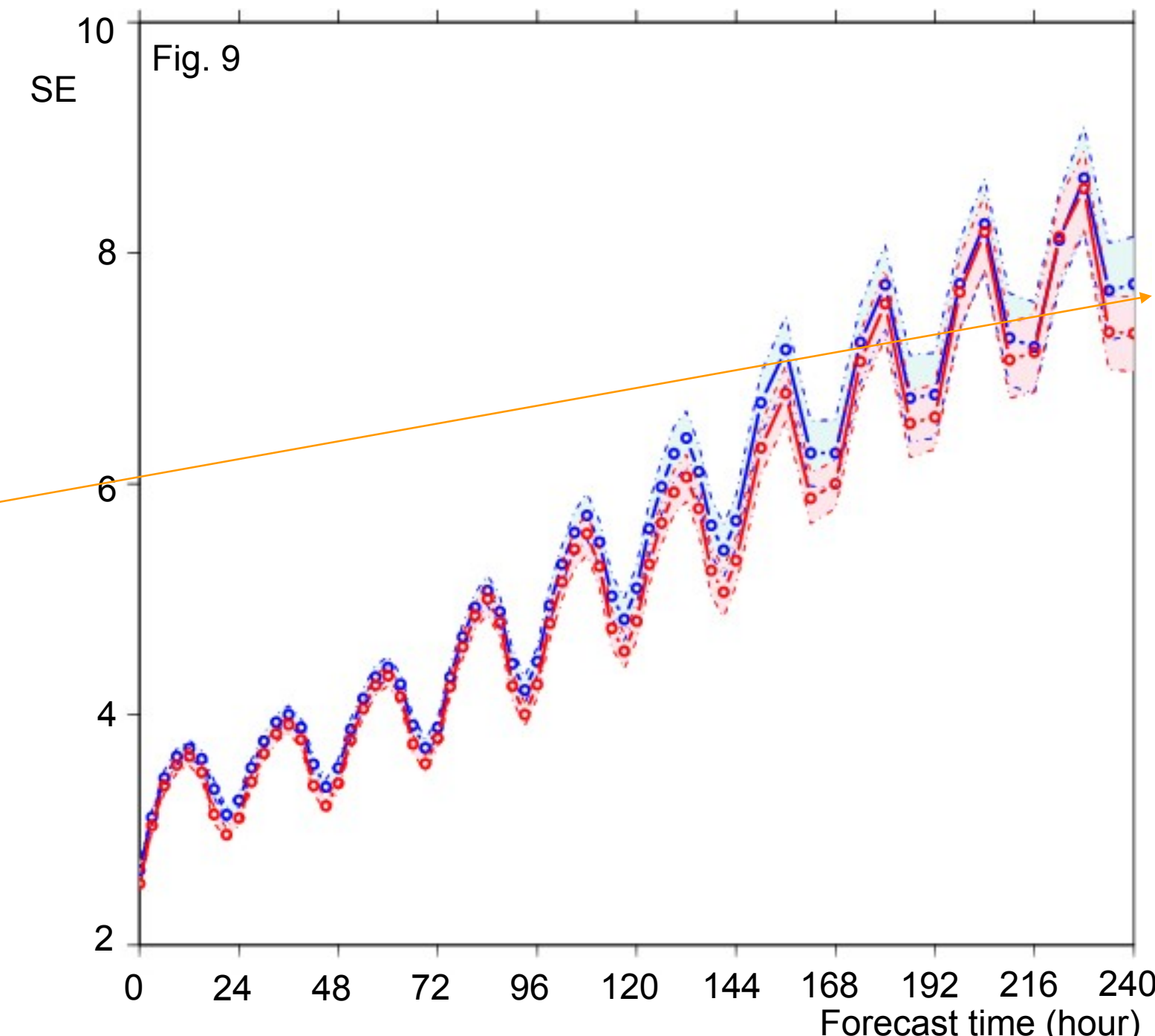
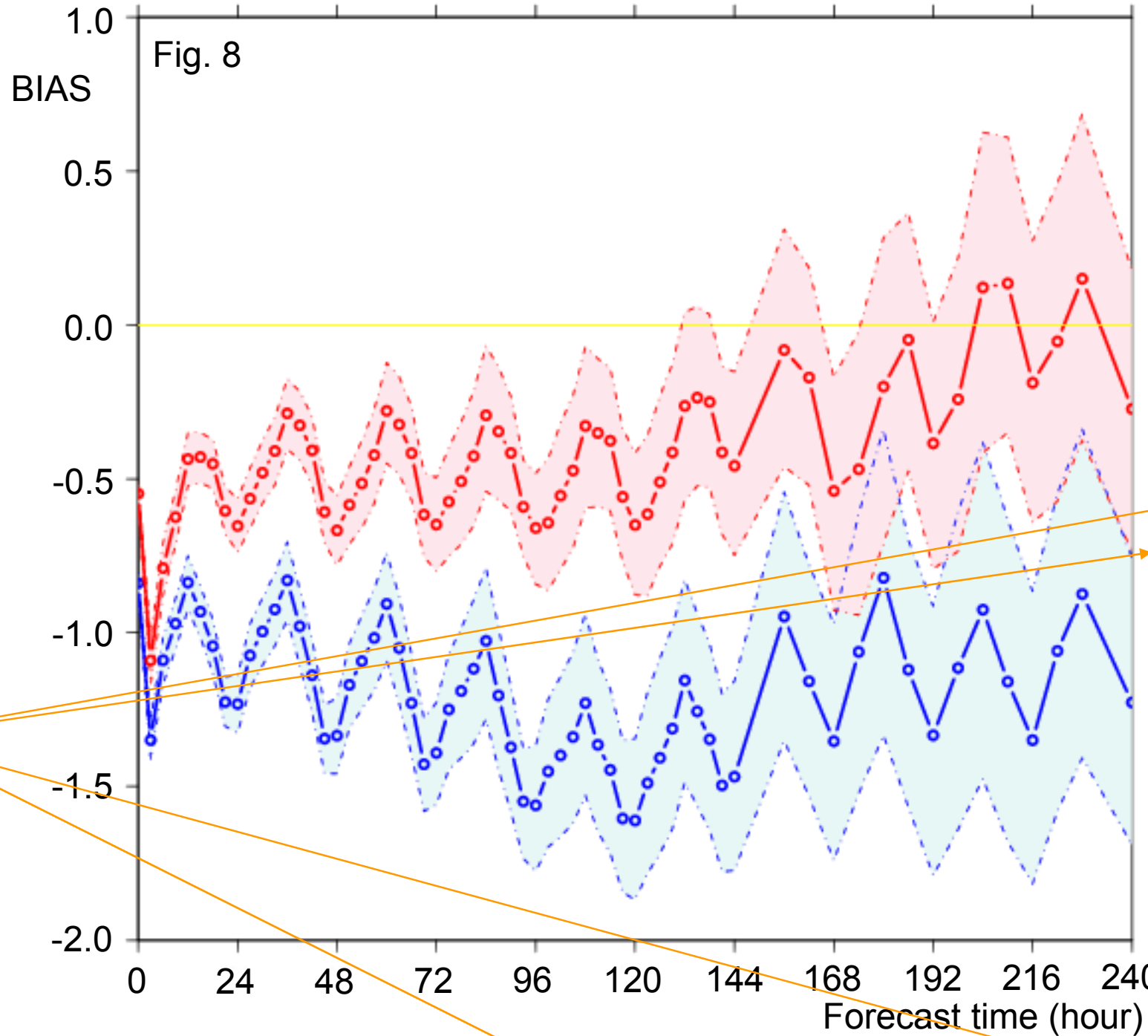


Effect with a small number of bootstrap (k)

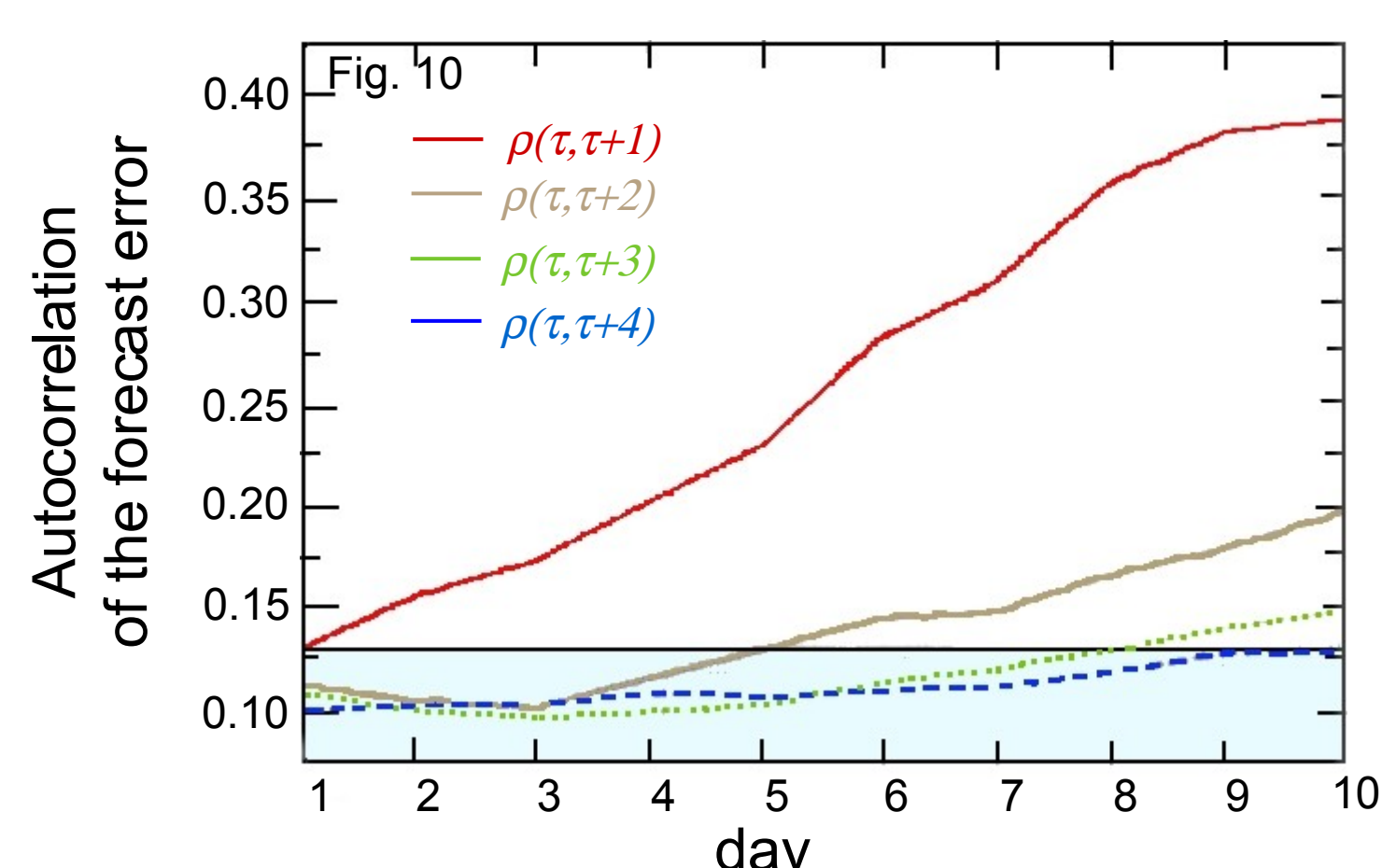


The spread (90% confidence interval) is larger as the forecast time increases

$k = 2000$
 $\rho(\tau, \tau+1)$

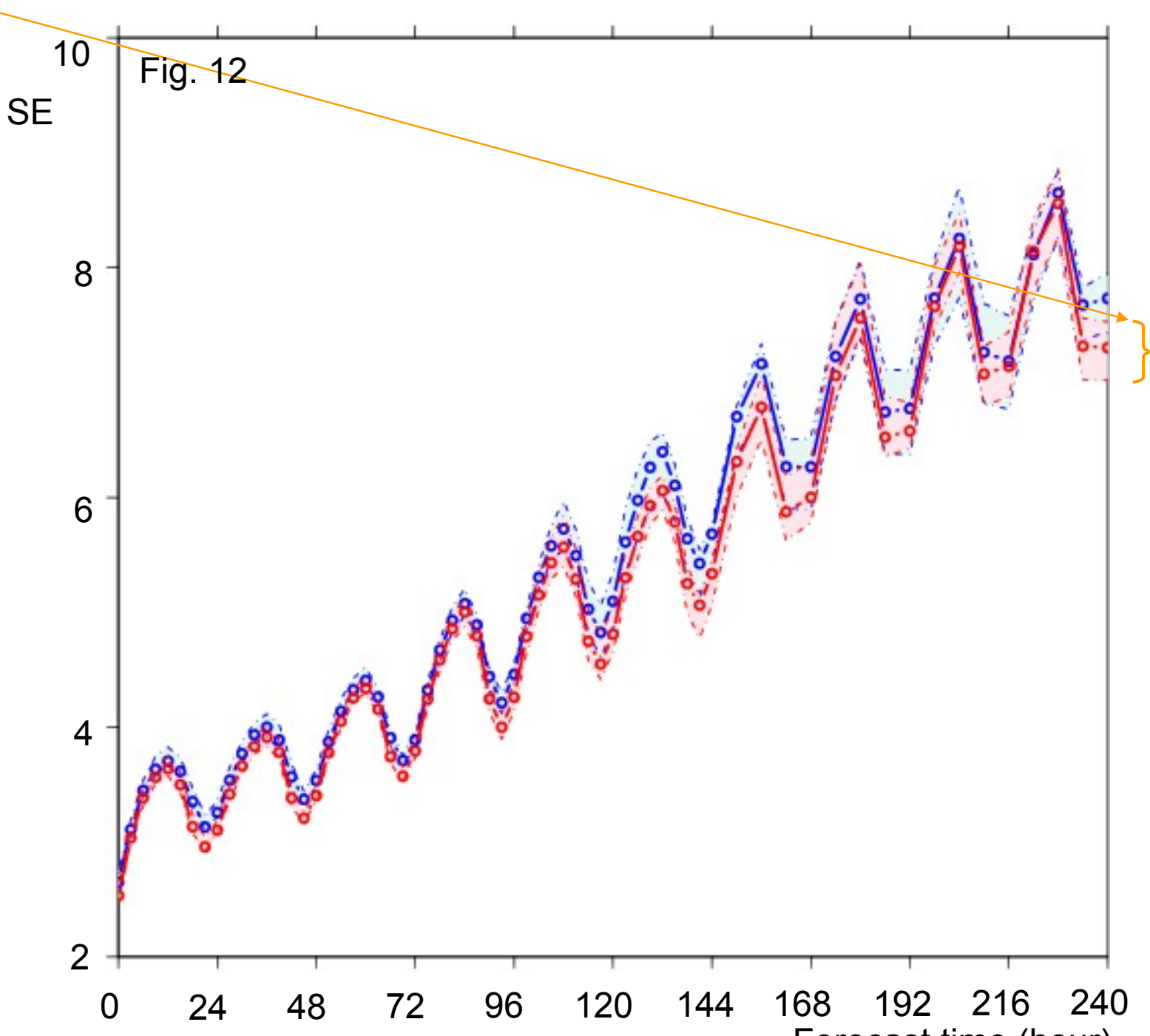
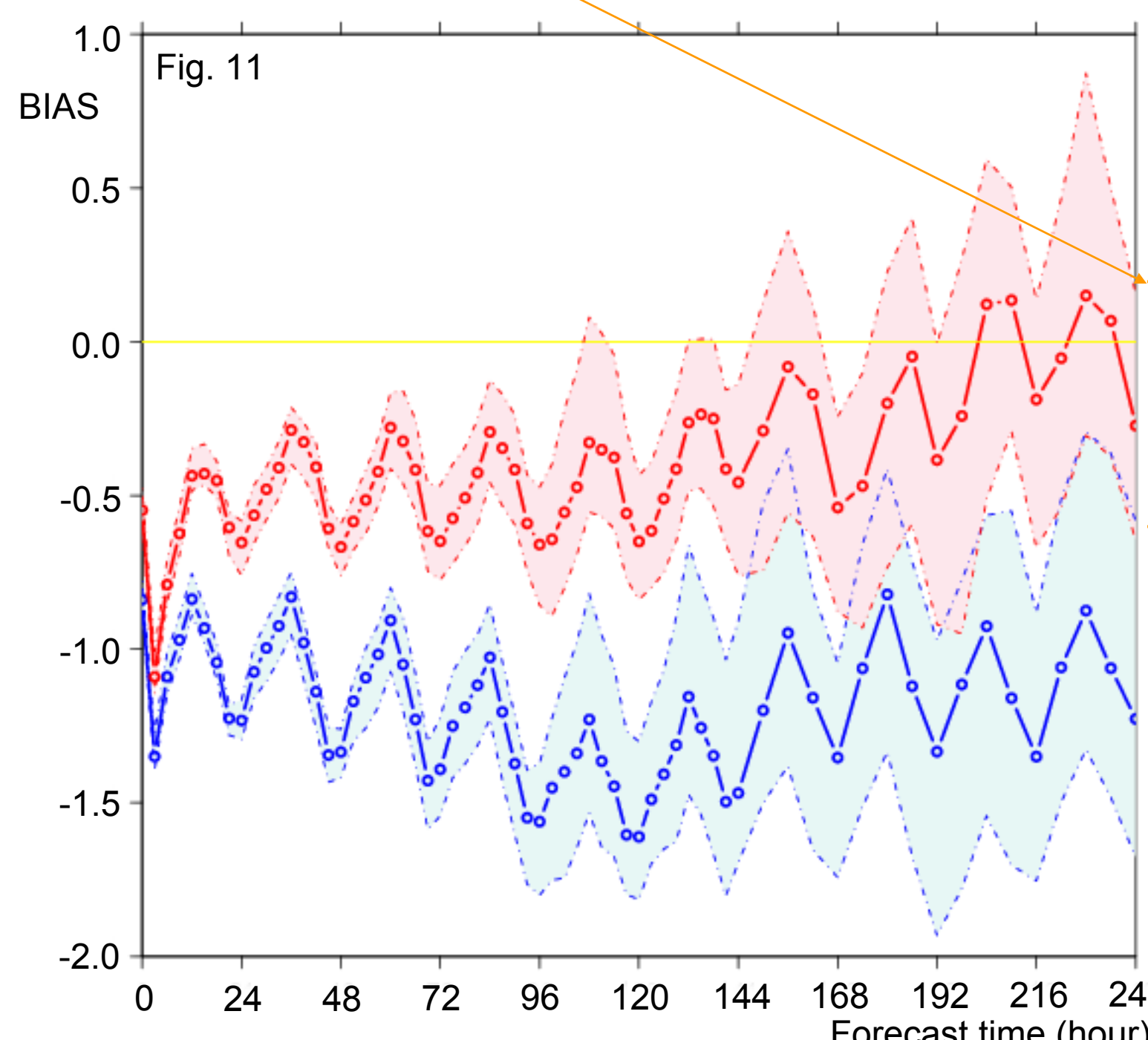


Ensemble mean of EPS vs Temperature radiosonde at 850 hPa, September 10th, 2005



(Candille G. et al.: Verification of an Ensemble Prediction System against Observations. Monthly weather review, 135, 2688-2699)

$k = 20$
 $\rho(\tau, \tau+1)$



Conclusion:

- It is always essential to first visualize the data (quality control).
- Verify whether the errors follow the expected distribution.
- The block bootstrapping is sensitive to the number of bootstrap (spatial correlation) and number of days (temporal correlation). Comparison of Fig. 3 and Fig. 8 shows that it is necessary to use a longer τ for a longer forecast times.

$$Bias = \frac{1}{n} \sum_{i=1}^n (F_i - O_i)$$

$$Standard\ Error = SE = \sqrt{\frac{1}{n} \sum_{i=1}^n (F_i - O_i)^2 - Bias^2}$$

From 0 to 144 hours, scores are every 3 hours, and every 6 hours thereafter. Solid lines represent the score and the dash line represent the 5% confidence interval (lower bound) and the 95% confidence interval (upper bound.)