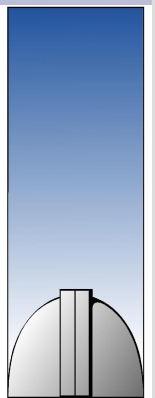




Stellar cycles and flip-flop phenomenon

Heidi Korhonen

European Southern Observatory
&
Astrophysikalisches Institut Potsdam

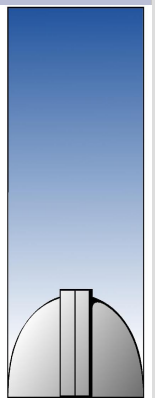


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Outline

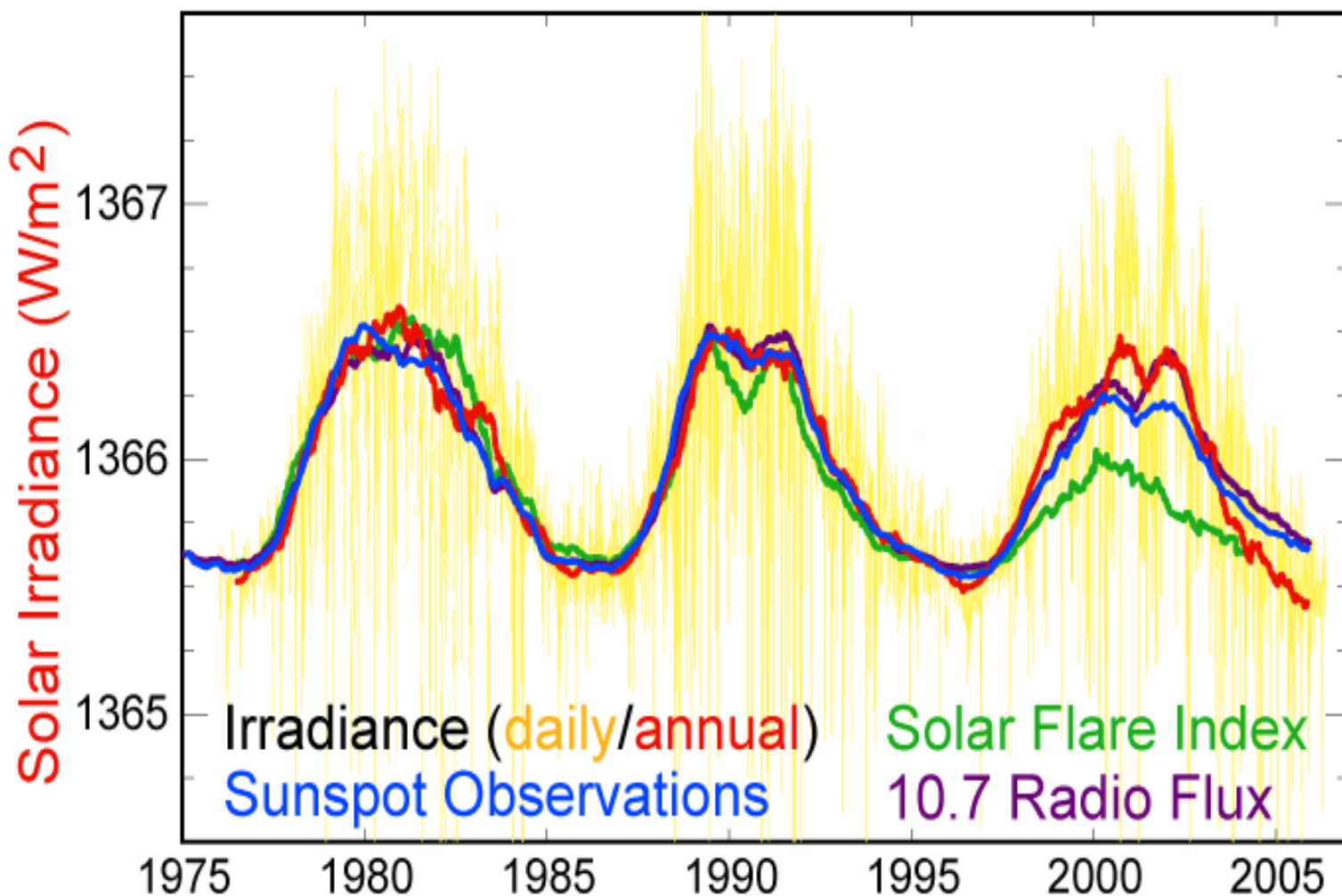
- Solar cycle
- Stellar cycles (Many thanks to Katalin Oláh!)
- Flip-flop phenomenon





Solar 11 year cycle II

Solar Cycle Variations

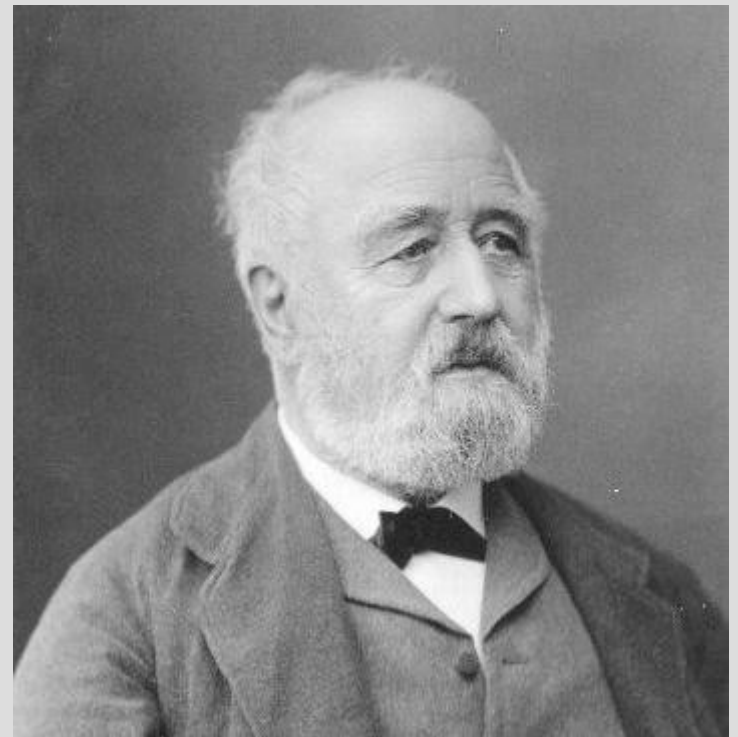




Two Gentlemen



Schwabe

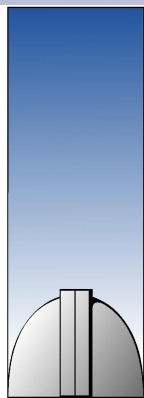
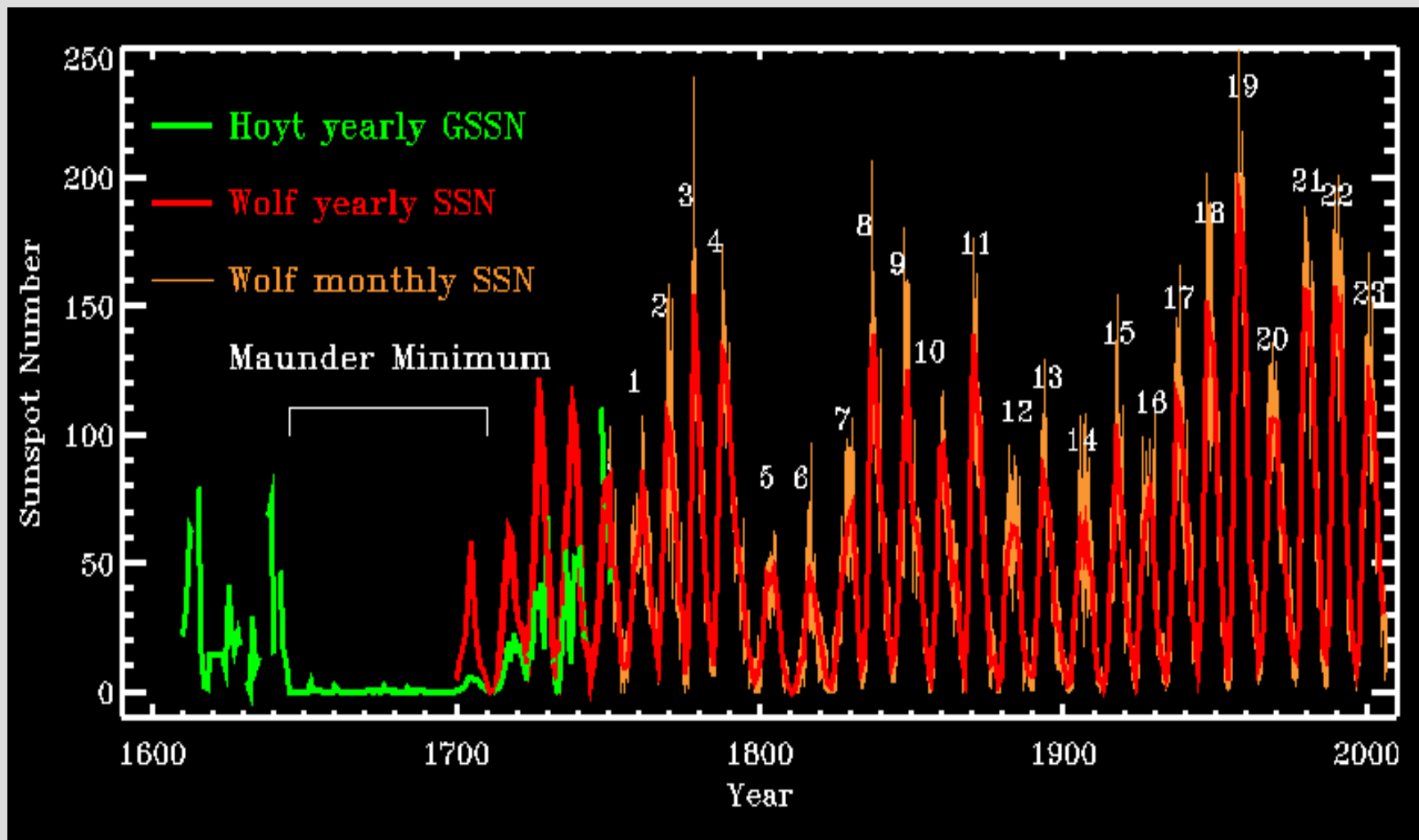


Wolf





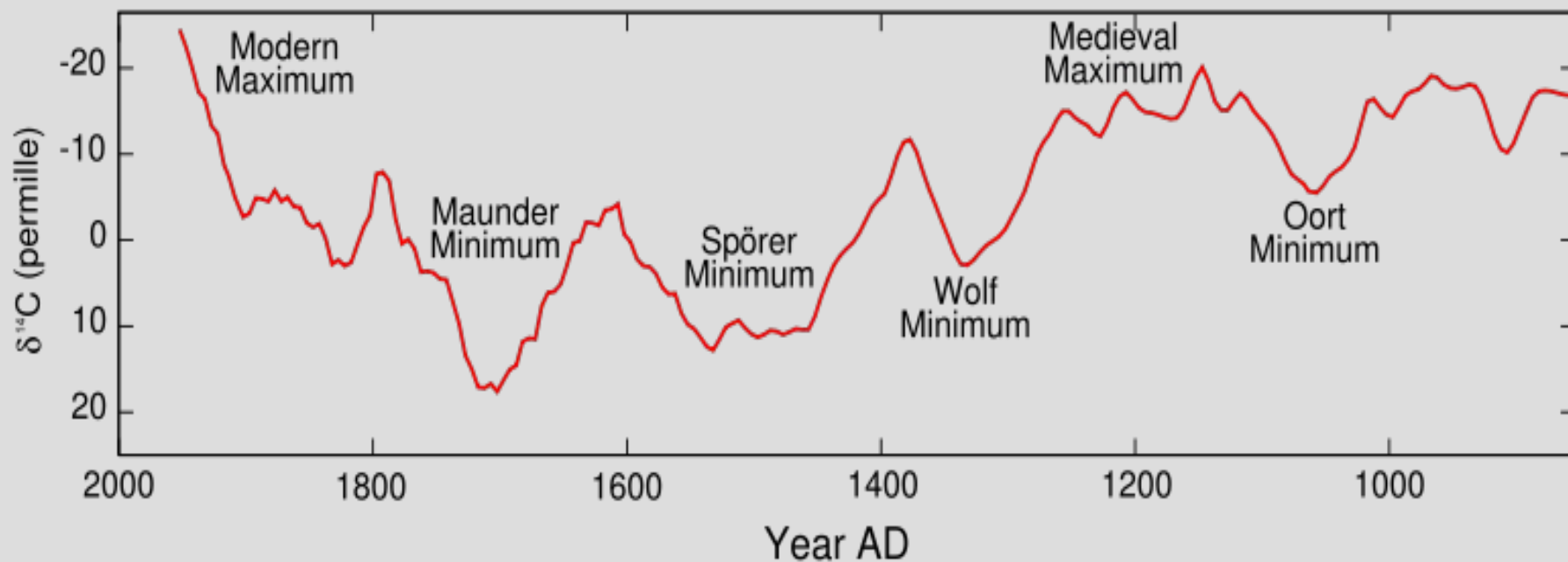
Long-term observations of the solar cycle





Long-term observations of the solar cycle II

Solar Activity Events in ^{14}C



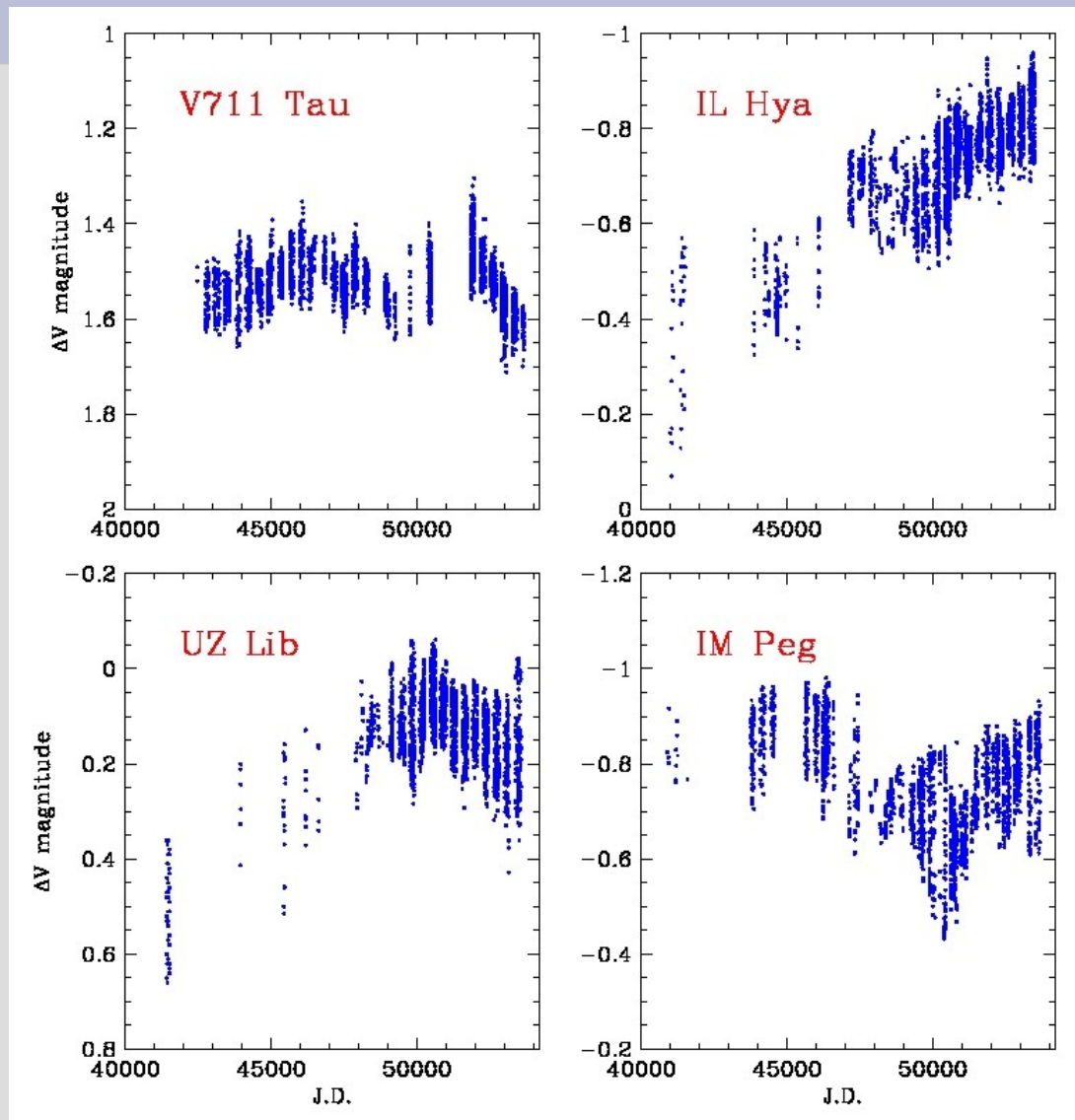


Stellar cycles

P_{rot} :

2.84 d

4.76 d



1 mag.
~1000 K!

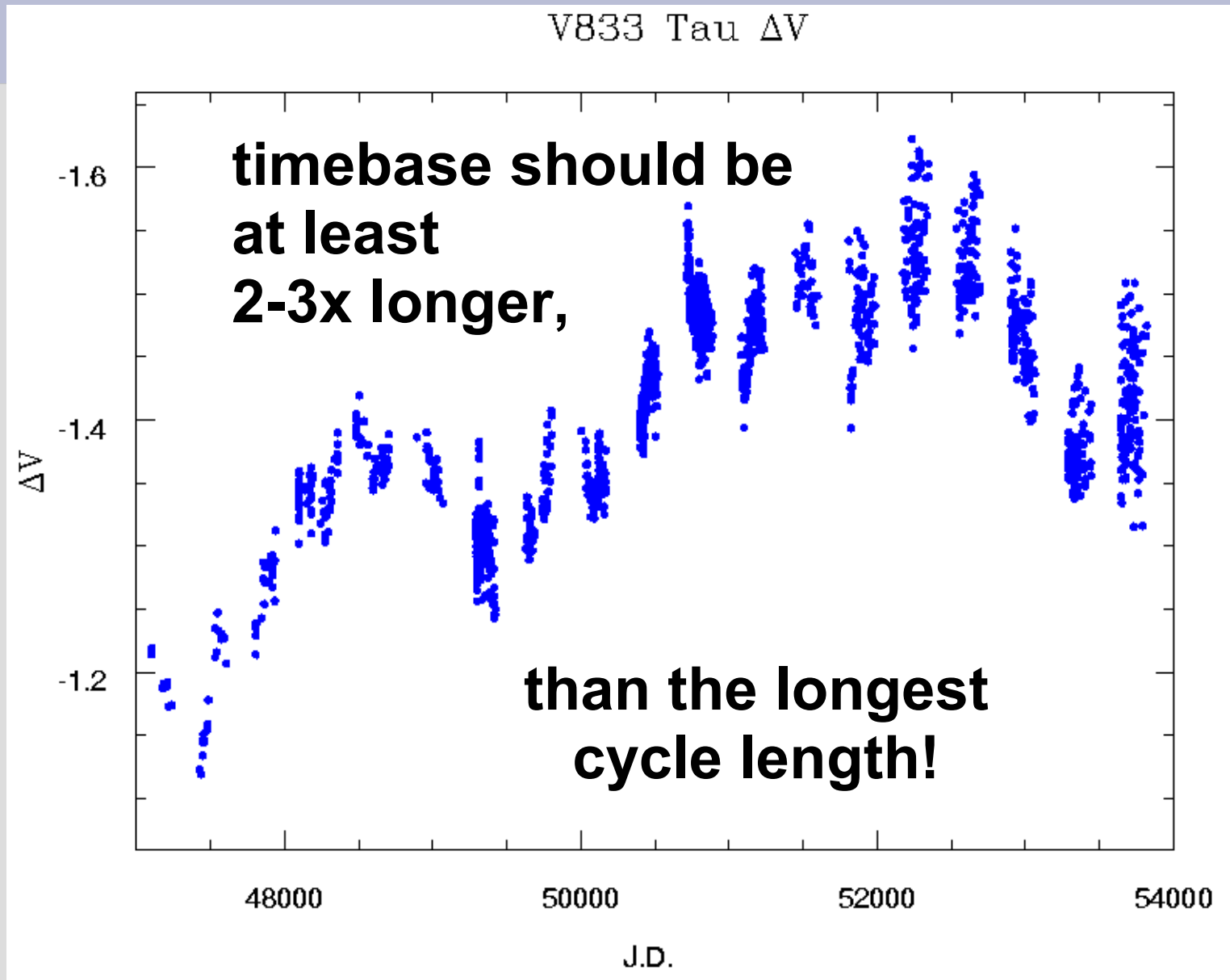
12.7 d

24.5 d

~38 years



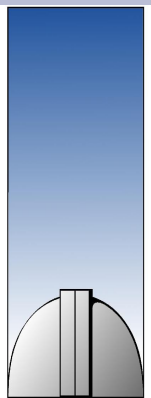
Measuring the cycles for decades...





Many periodic phenomena are not constant in time

- Frequencies appear and disappear
- The length of the periods change
 - Examples: binary orbits, pulsation periods
- Many active stars show multiple activity cycles
 - Parallel and/or alternating?
 - Constant and/or variable?





Time-Frequency analysis

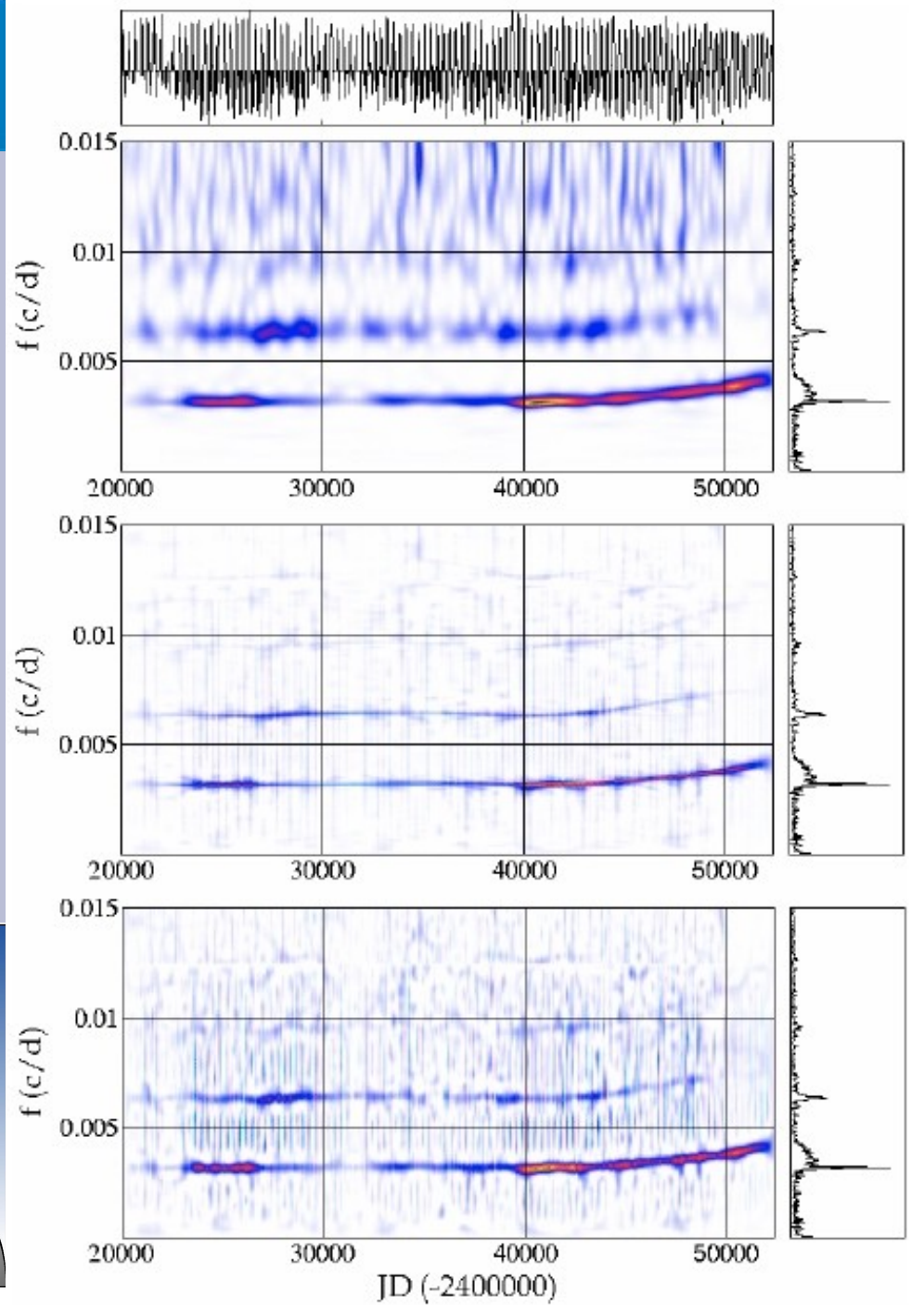
- Time-frequency analysis identifies the time at which various signal frequencies are present, usually by calculating a spectrum at regular intervals of time.
- Several different methods:
 - Short-term Fourier analysis
 - Wavelets
 - Choi-Williams distribution
 - Zhao-Atlas-Marks distribution
 - etc

TiFrAn

<http://www.konkoly.hu/tifran>



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Example: T Umi

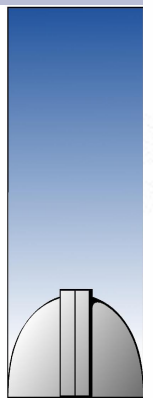
Mira star with changing pulsational period

wavelet

Choi-Williams distribution

Zhao-Atlas-Marks distribution

Szathmáry et al. 2003





Test for activity cycles

Periodic signal:

$$f(t) = A \sin [2\pi(\omega t)]$$

changing: $\omega = \omega_0 + \beta t$
 $\beta =$ rate of change

Suppose two cycles

5.48 yrs (changing)

$$A_1 = 0.2$$

$$\omega_{0,1} = 0.0005$$

$$\beta = 0.00000001$$

2.47 yrs (constant)

$$A_2 = 0.1$$

$$\omega_{0,2} = 0.00111$$

$T = 10000$ days (27.4 yrs, typical dataset)

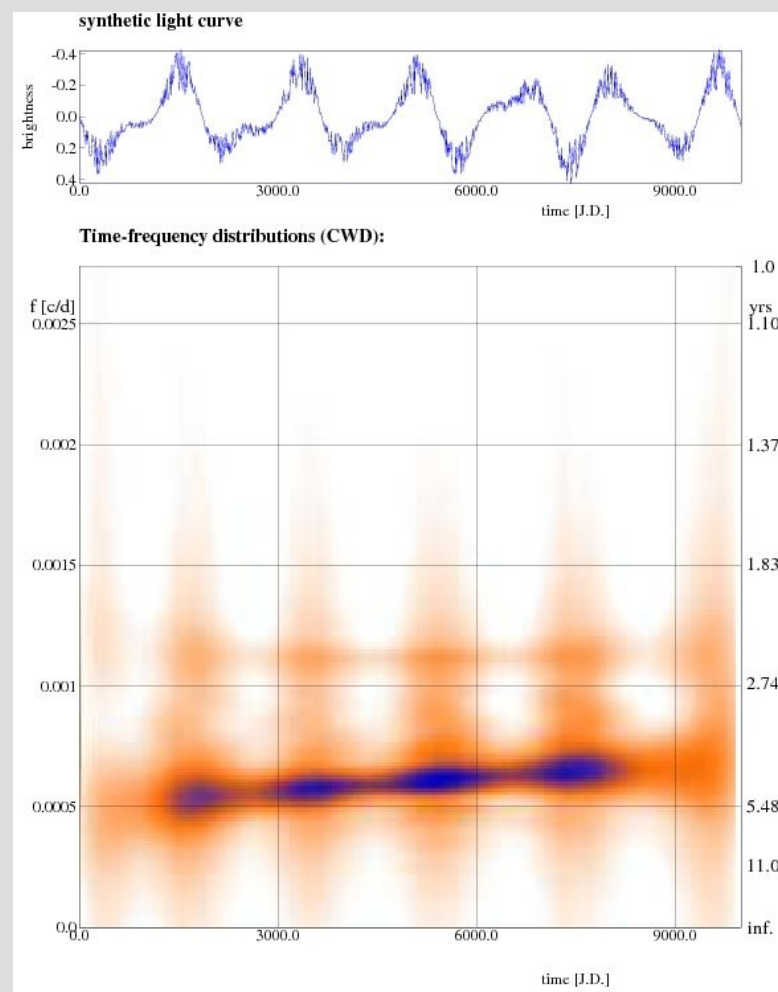
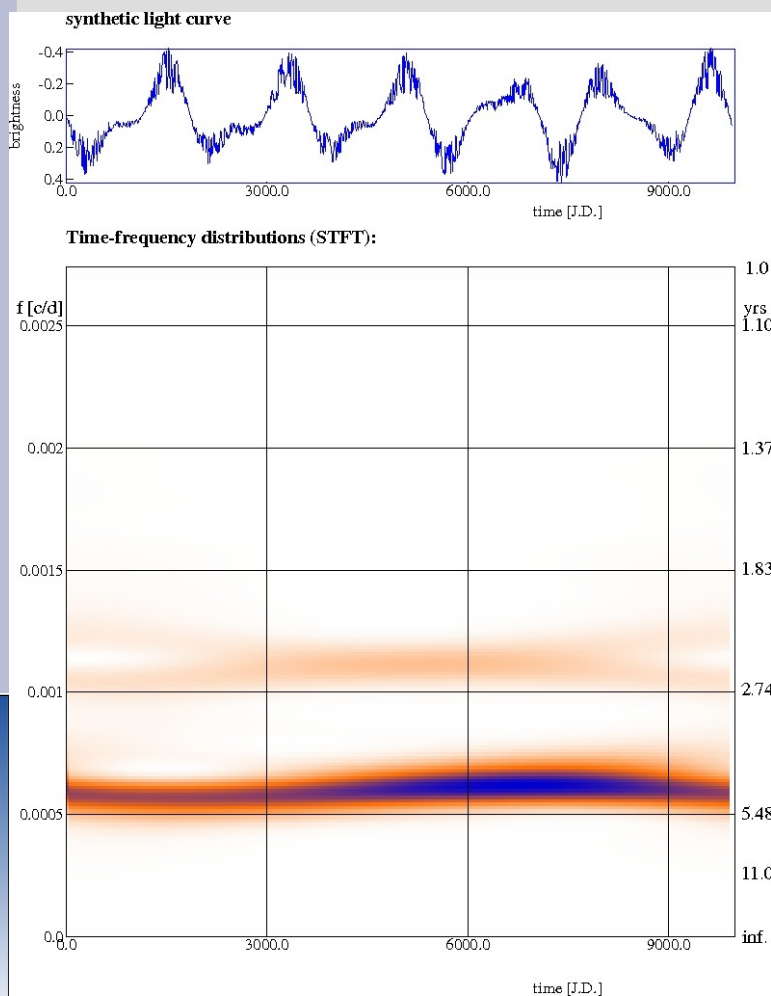




Test cycle lengths: 5.48 yrs (changing)
2.47 yrs (constant)

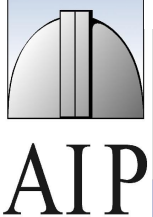
Short-term Fourier Transformation

Choi-Williams distribution



lower resolution,
artificial bend

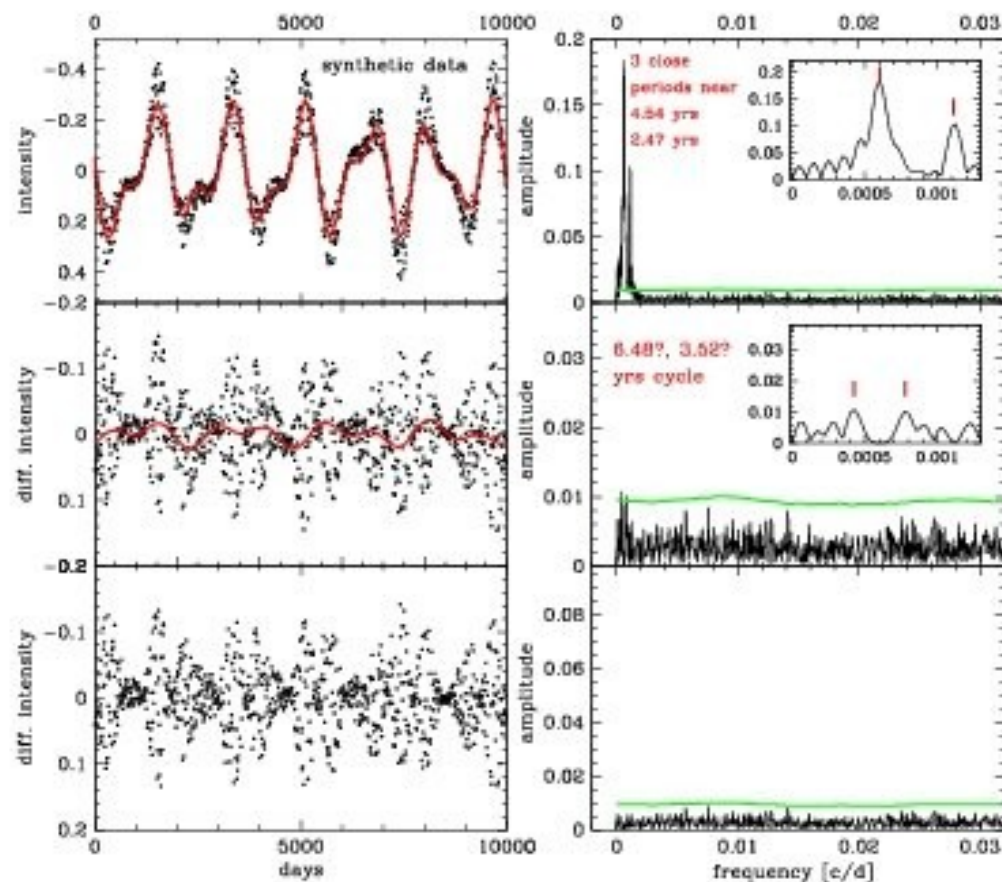
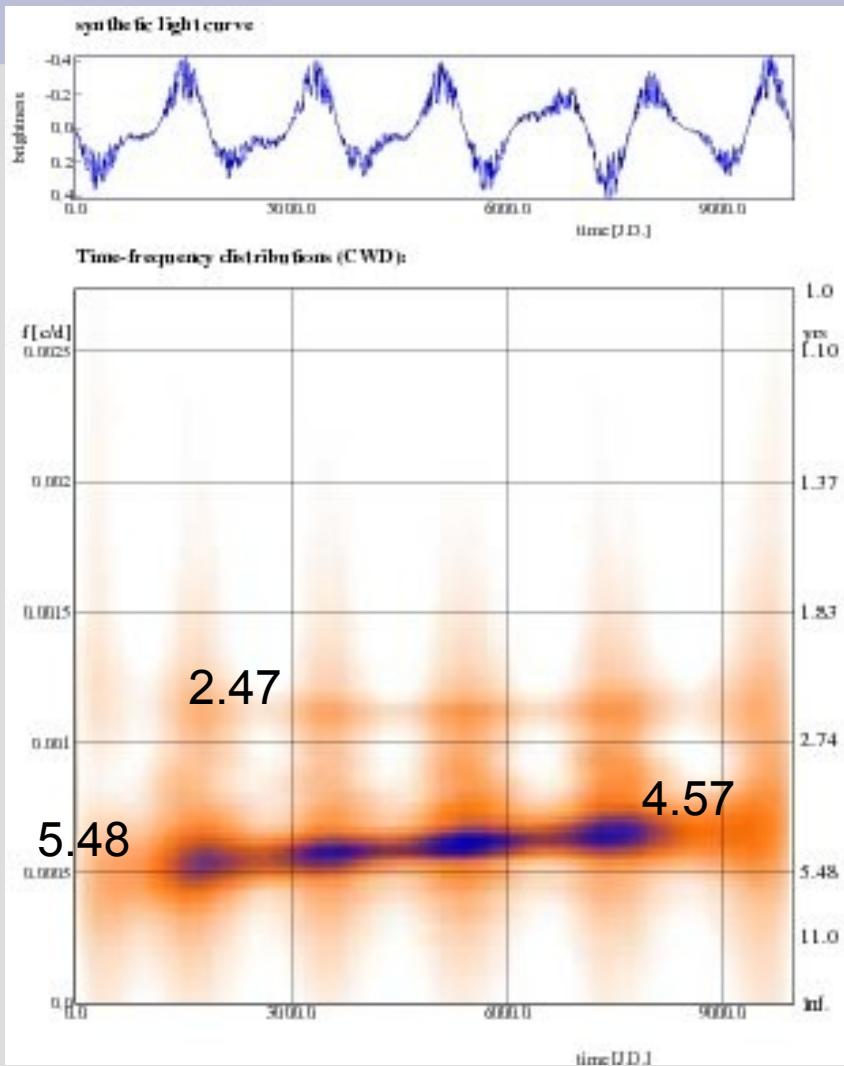
higher resolution





5.48 yrs (changing) +
2.47 yrs (constant)

3 close periods near 4.54 yrs
+ 2.47 yrs
weak signal at 6.5 and 3.5 yrs



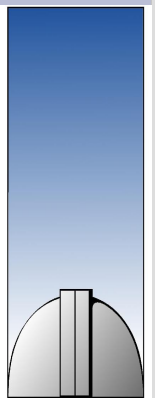
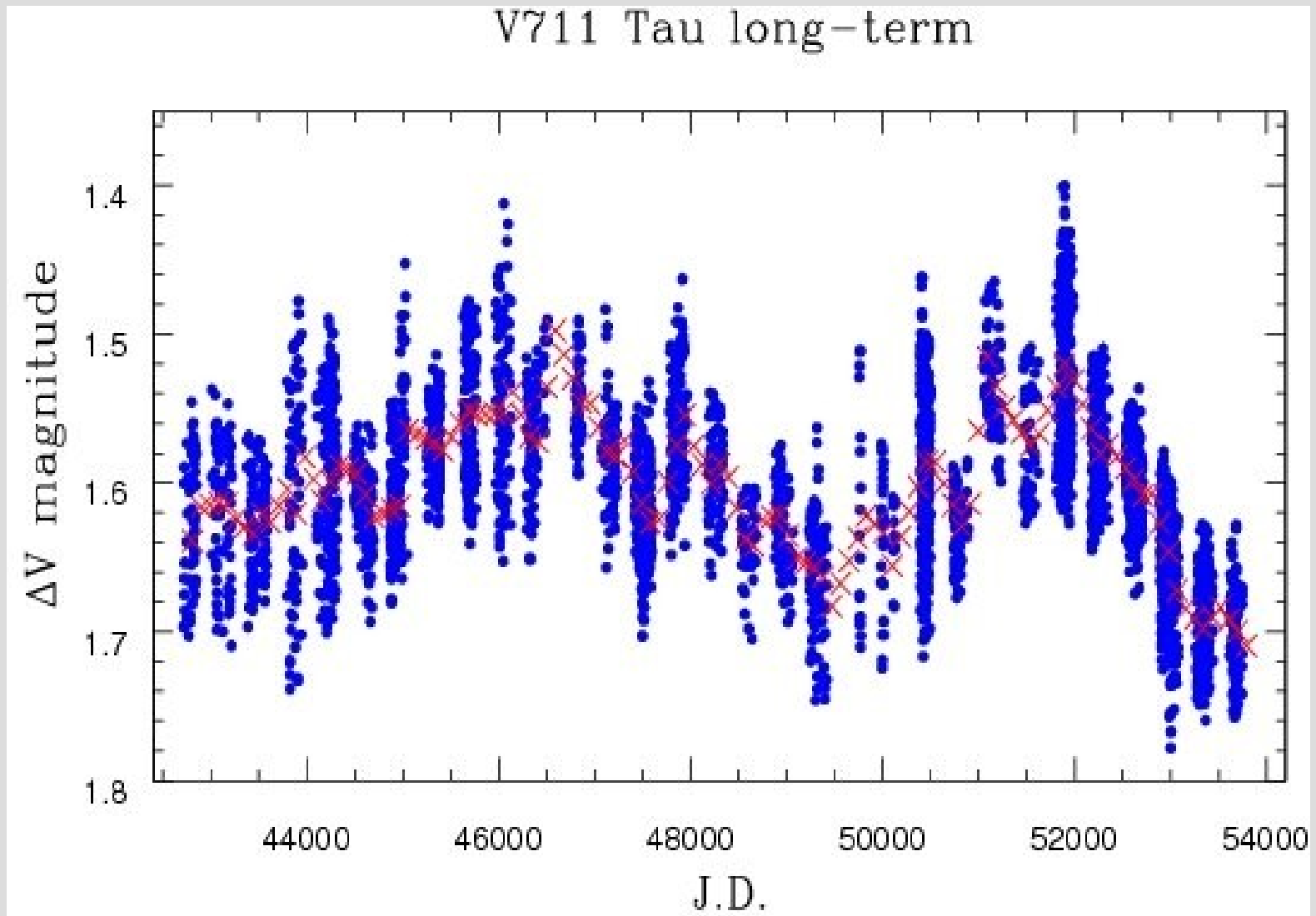
Choi-Williams distribution

Fourier analysis



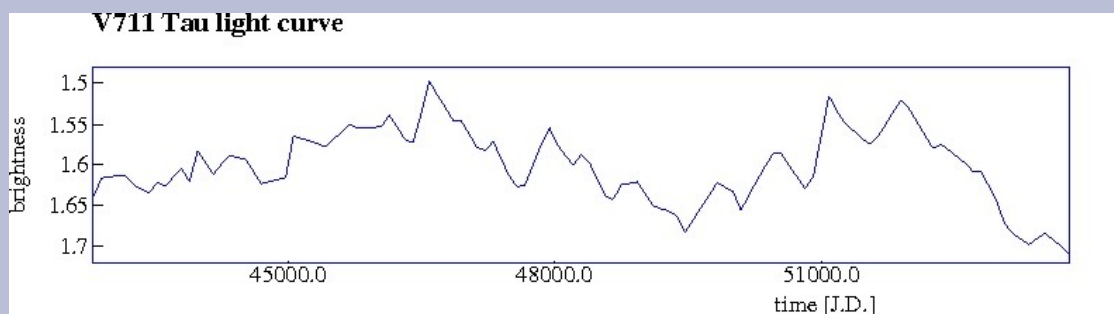


One real example: V711 Tau

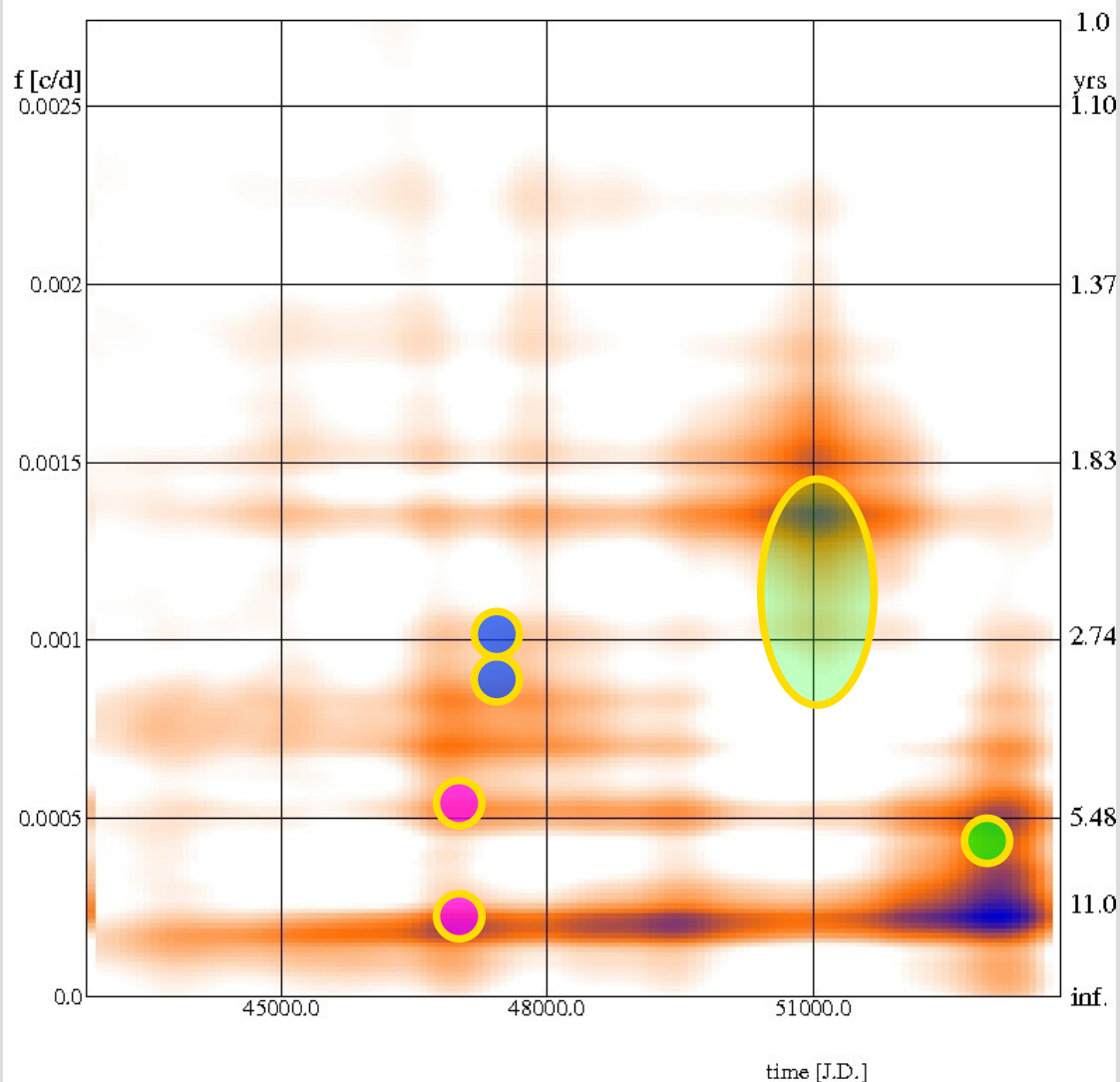




V711 Tau



Time-frequency distributions (CWD):

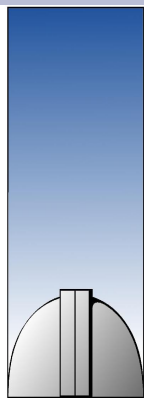


Earlier cycle length determinations:

Lanza et al. 2006,
A&A 455,595

Vogt et al. 1999
ApJS 121, 547

Henry et al. 1995
ApJ 97, 513

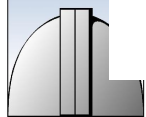
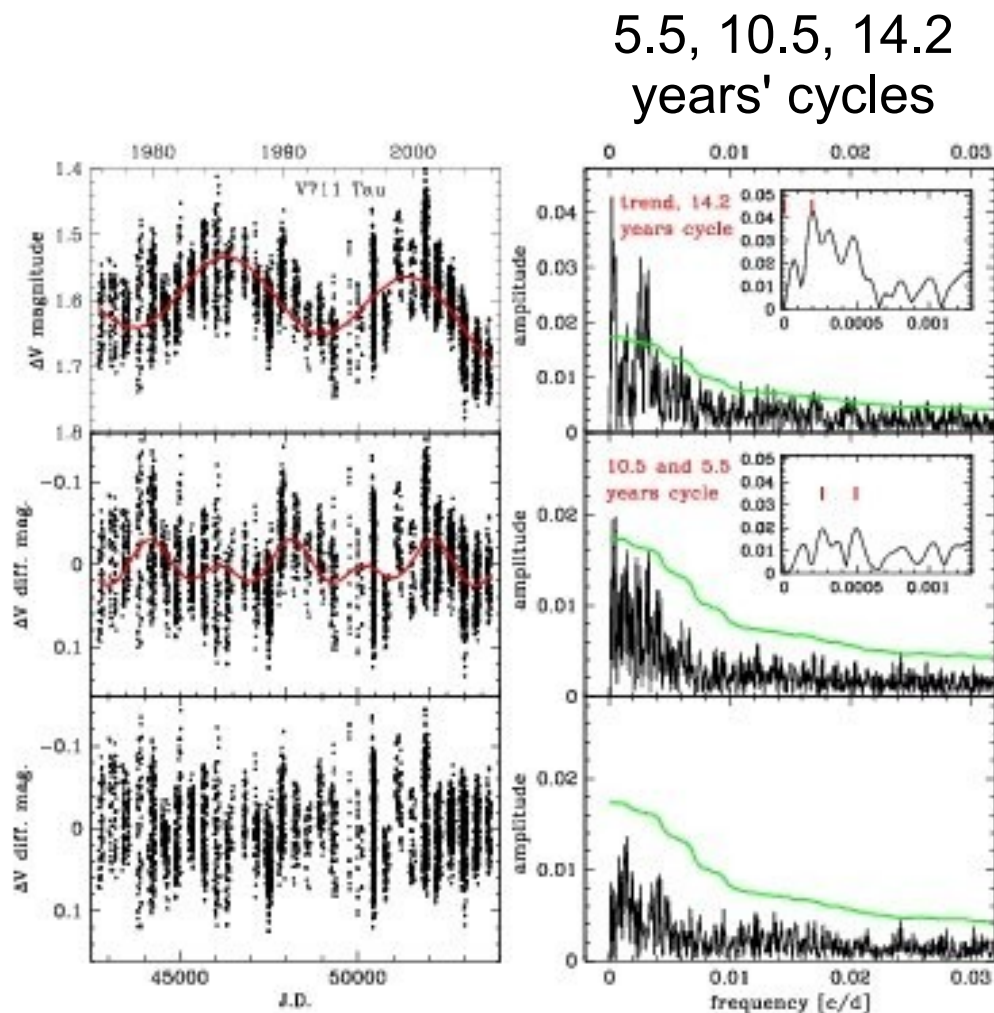
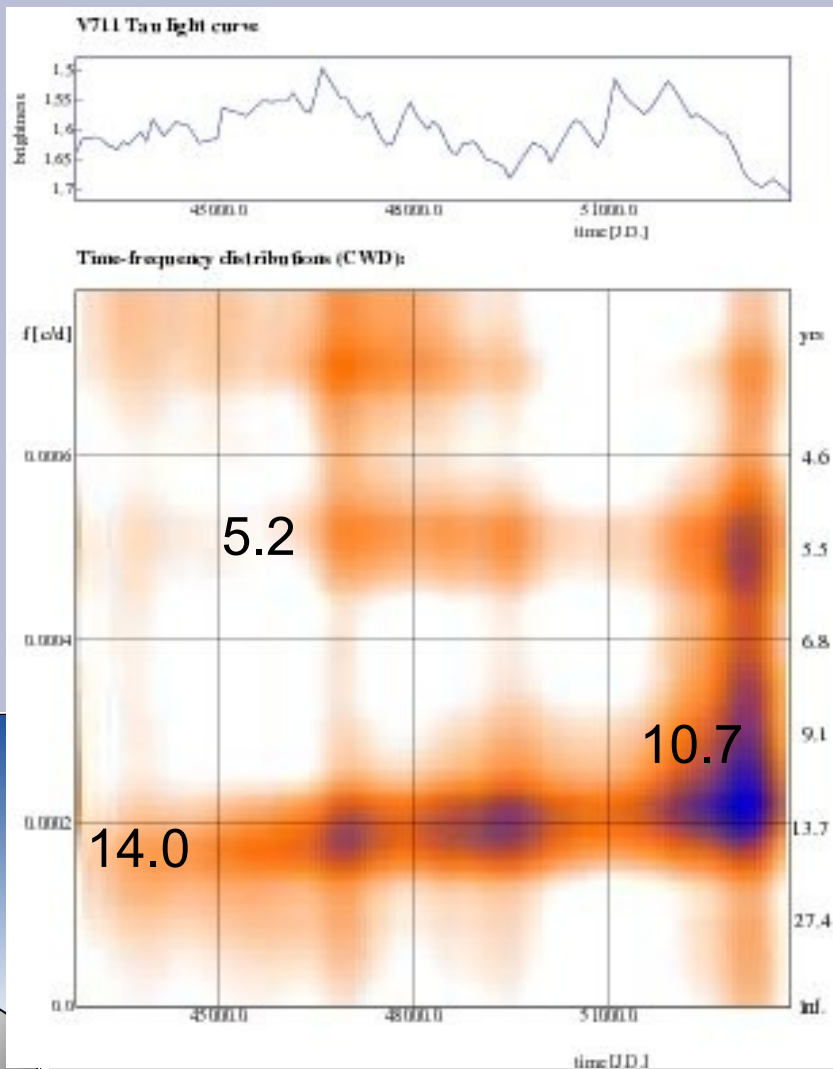


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V711 Tau time-frequency and Fourier results (detail)

one changing cycle between 10.7 – 14 years
with a rate of 0.11 year/year = 40 days/year





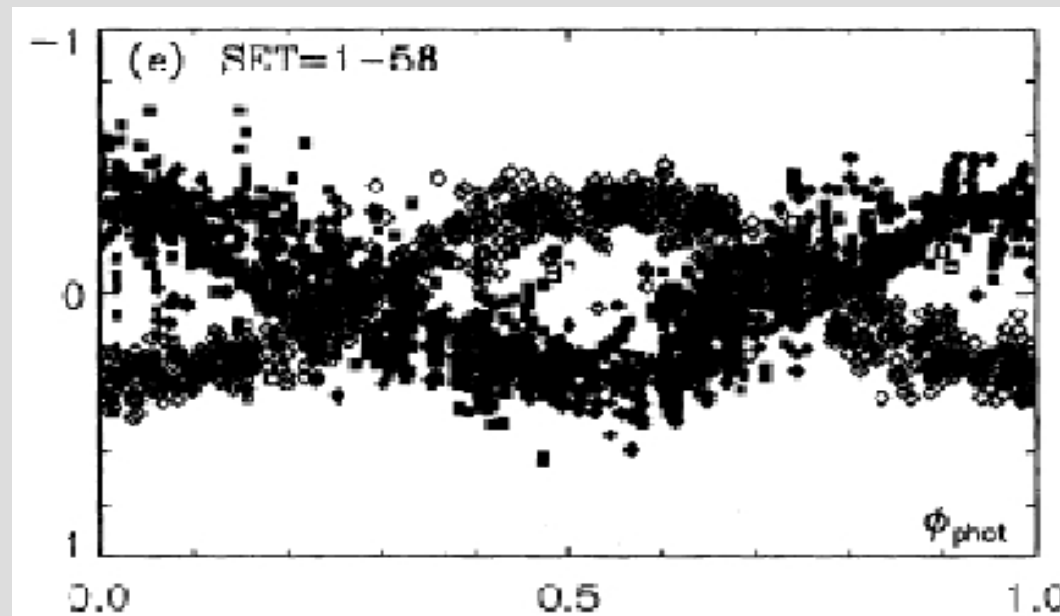
What else do we see when
we look at the stellar
photometry in more detail?



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Flip-flop phenomenon

- Discovered on the single giant FK Com in the early 1990's (Jetsu et al. 1993)
- Activity concentrates on two permanent active longitudes and flips between them every few years

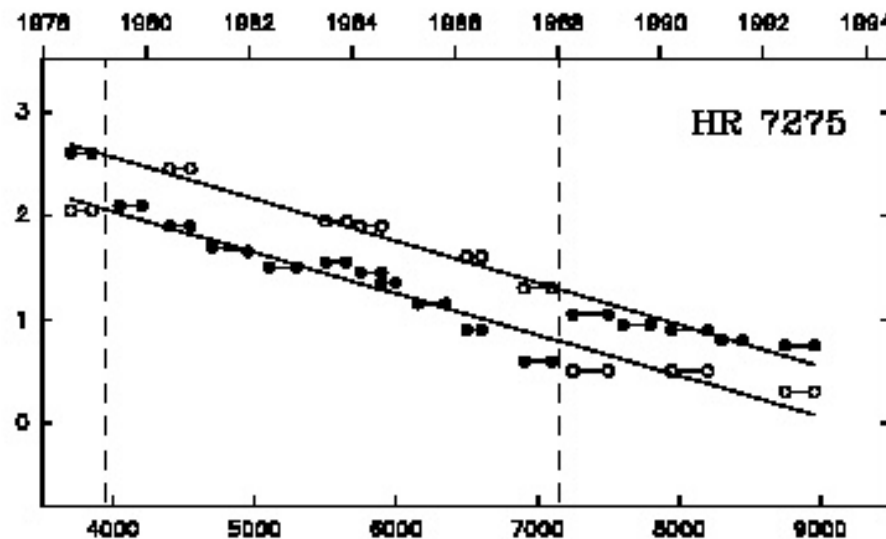
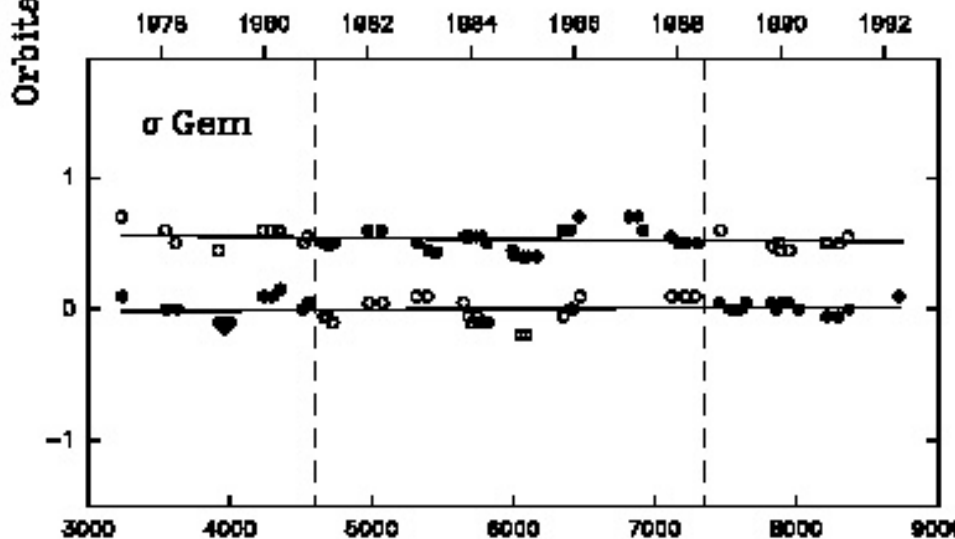
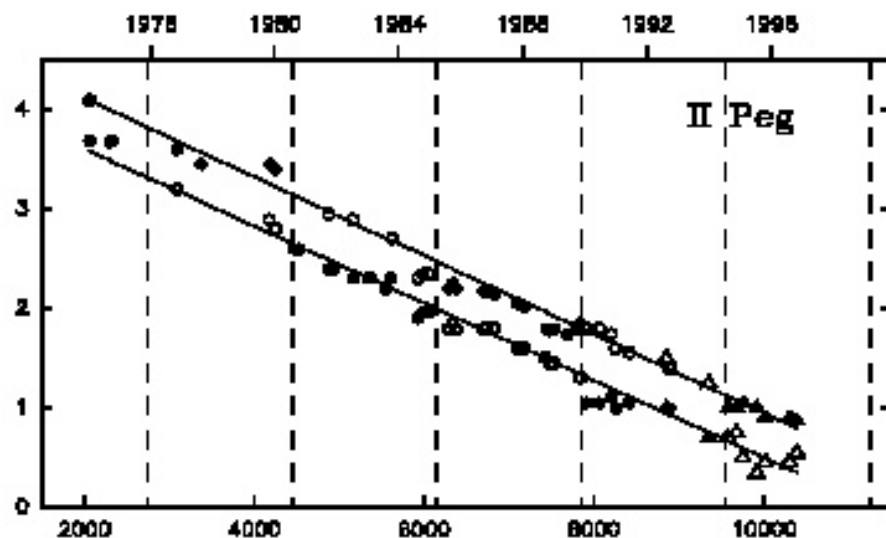
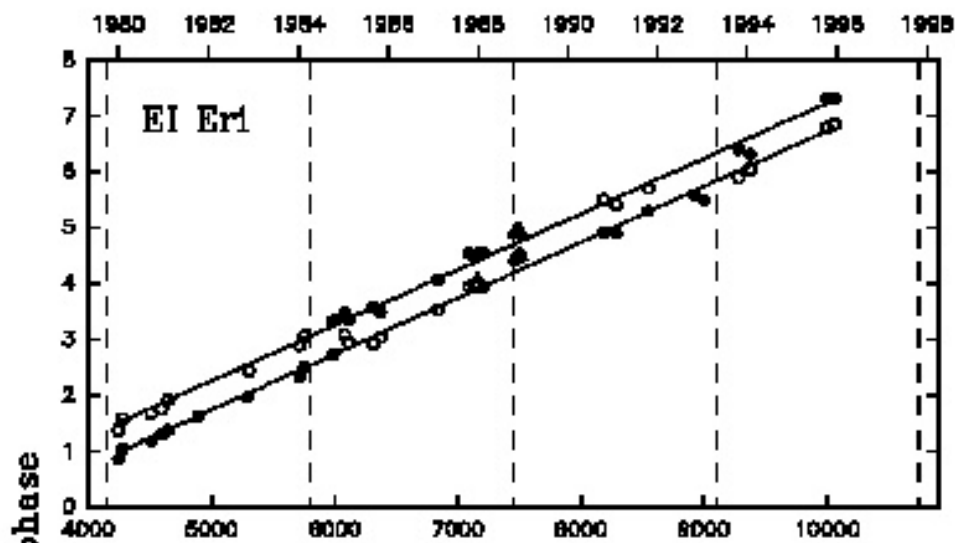


Jetsu et al. 1993





Flip-flops in RS CVn binaries

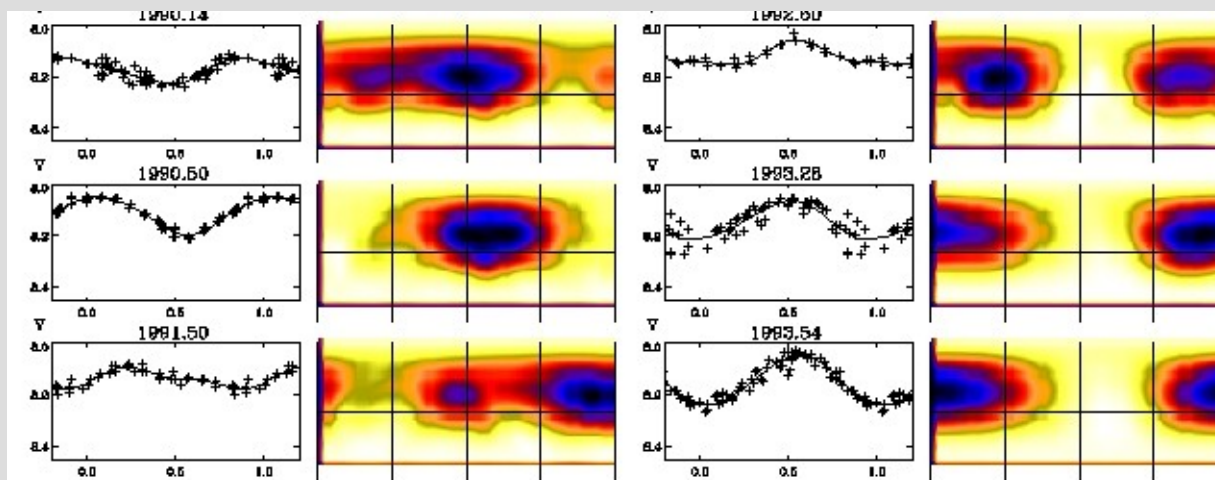
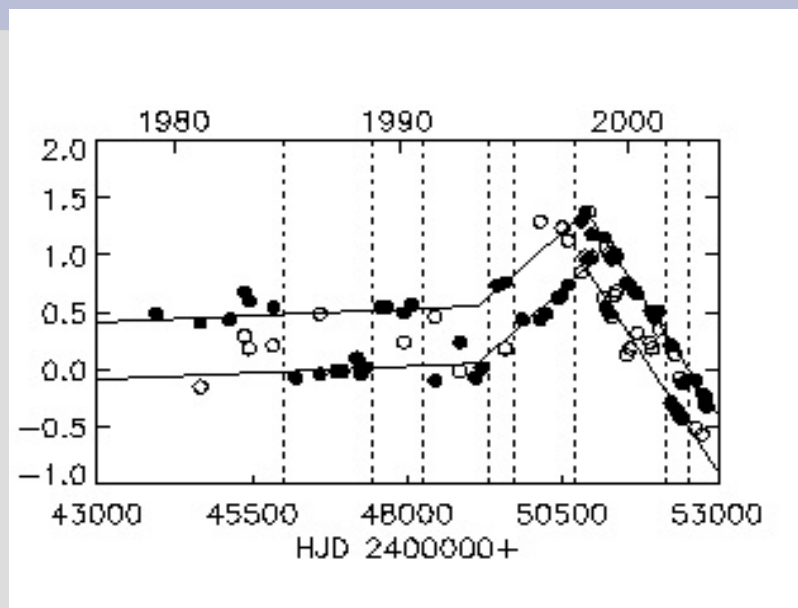
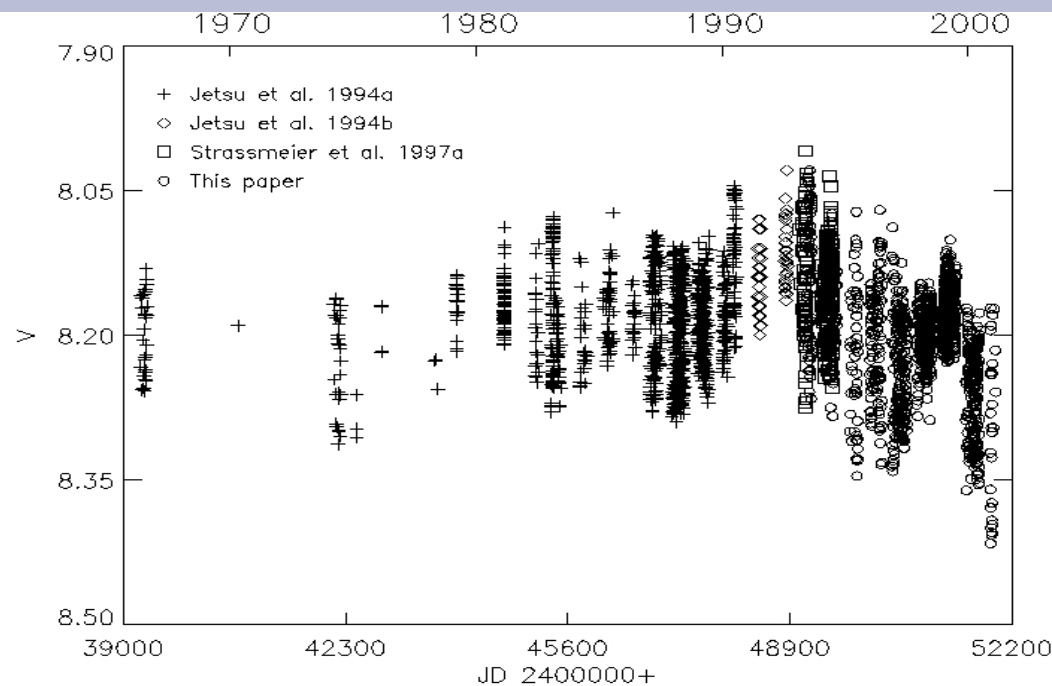


JD 2440000+

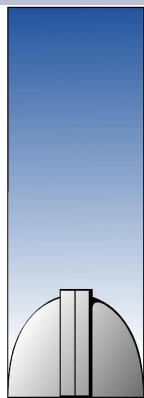
Berdyugina & Tuominen 1998



How to study flip-flops?



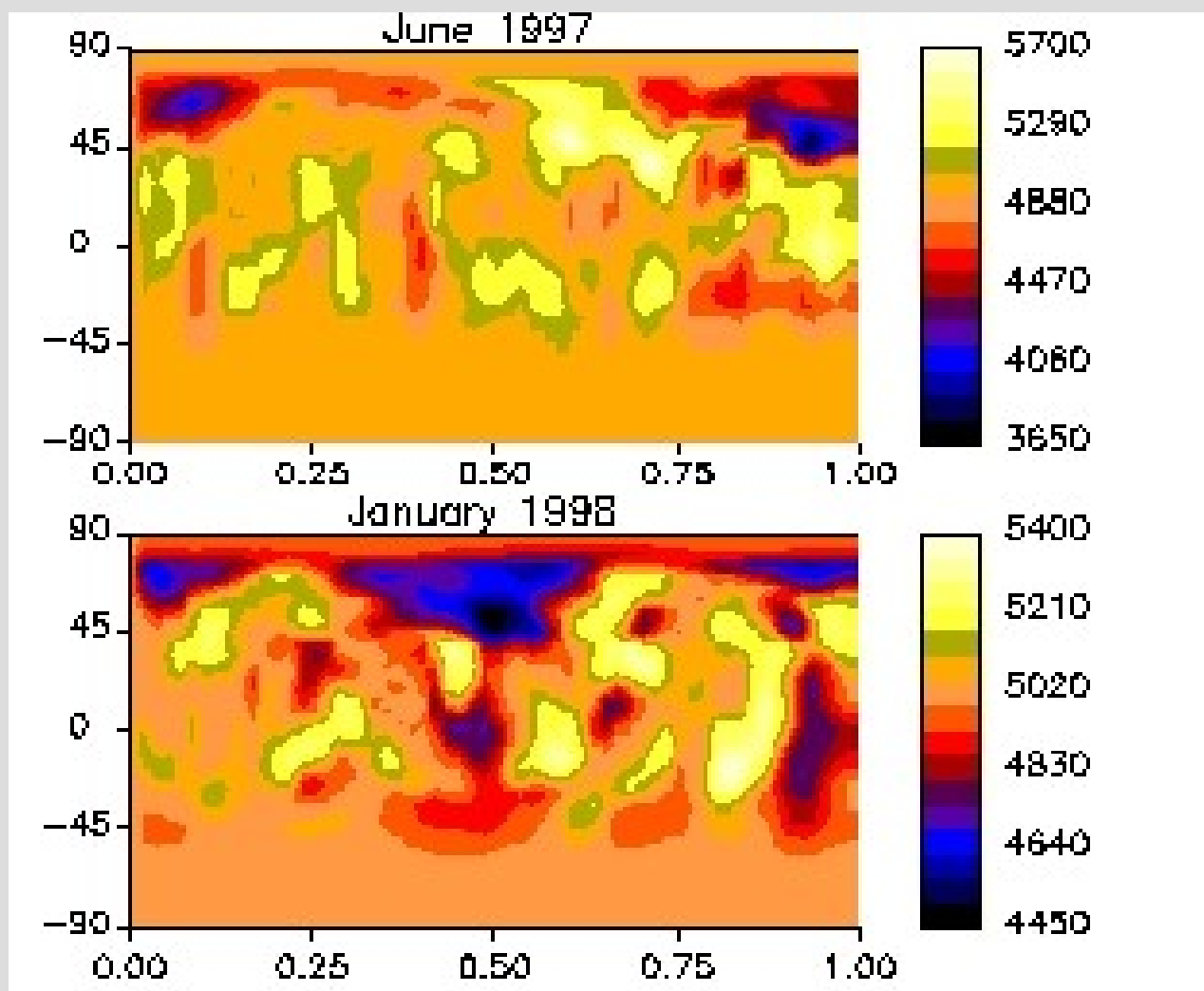
Korhonen et al. 2002



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Flip-flops in detail



Korhonen et al. 2001



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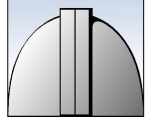


Stars with flip-flops

- Since then flip-flops have been discovered in several stars:

3 young solar analogues	4.0-5.5 years
2 FK Com type single giants	4.0-6.4 years
7 RS CVn binaries	4.0-17.5 years

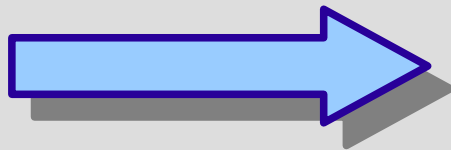
Flip-flop cycle length of 3.7 years has been suggested for the Sun, but this results is debated





Modelling flip-flops I

- Non-axisymmetric dynamos show active longitude structure, but no oscillations
- Axisymmetric dynamos do not show active longitudes, but oscillate



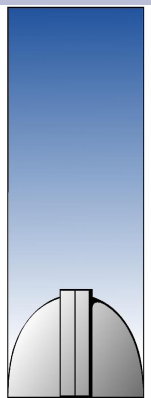
For explaining the flip-flop phenomenon both properties are needed



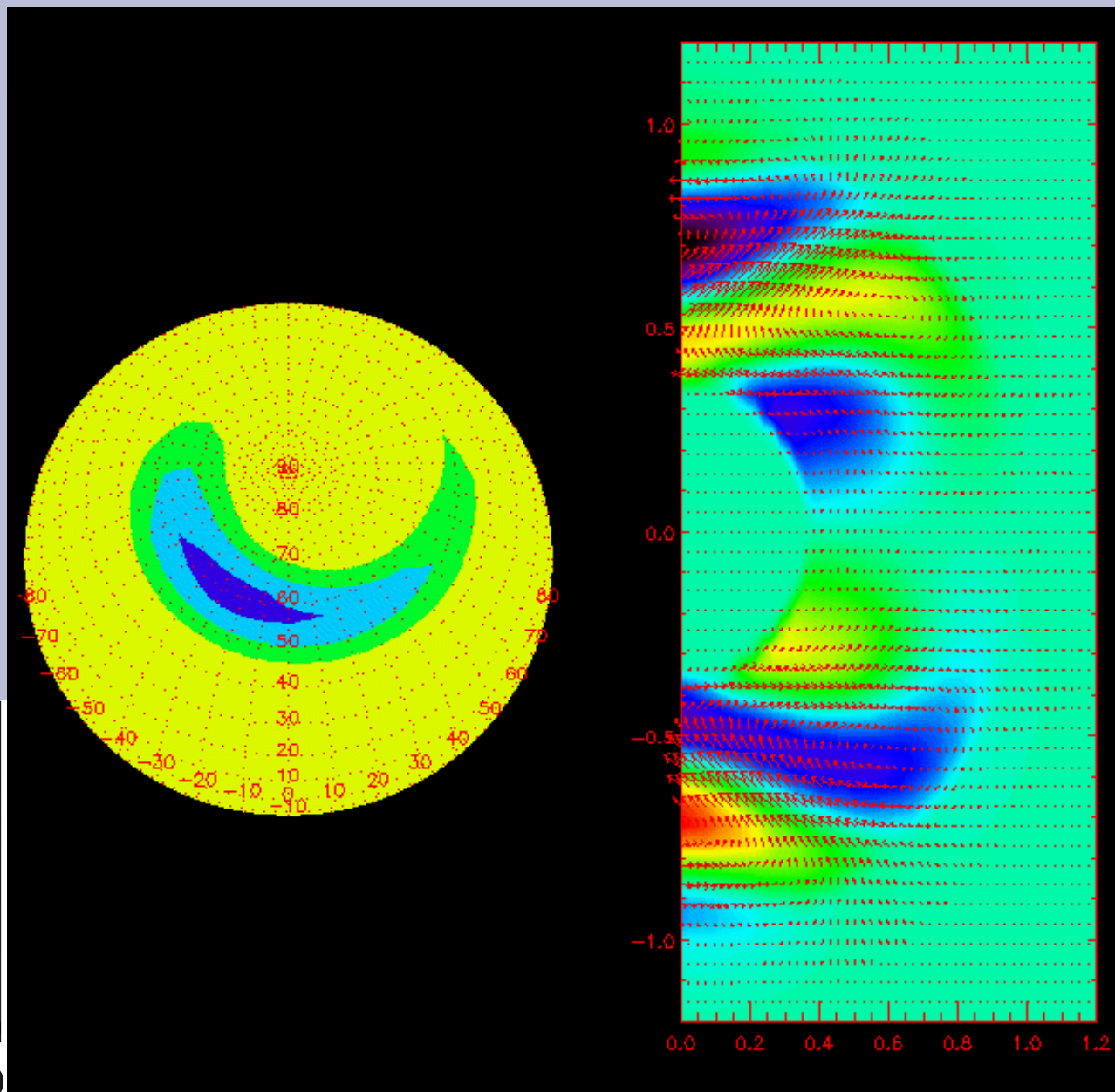


Modelling flip-flops II

- There are models that can produce non-axisymmetric dynmos:
 - With anisotropic α -effect
 - With weak differential rotation
- First models showing the flip-flop properties were by Moss (2004, 2005). He used axis distance dependant internal rotation law.
- Other models: Fluri & Berdyugina 2004; Elstner & Korhonen 2005



Modelling flip-flops III



Solar type rotation law,
but with differential
rotation 10% of the
solar value

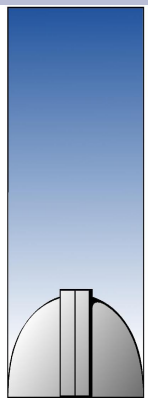
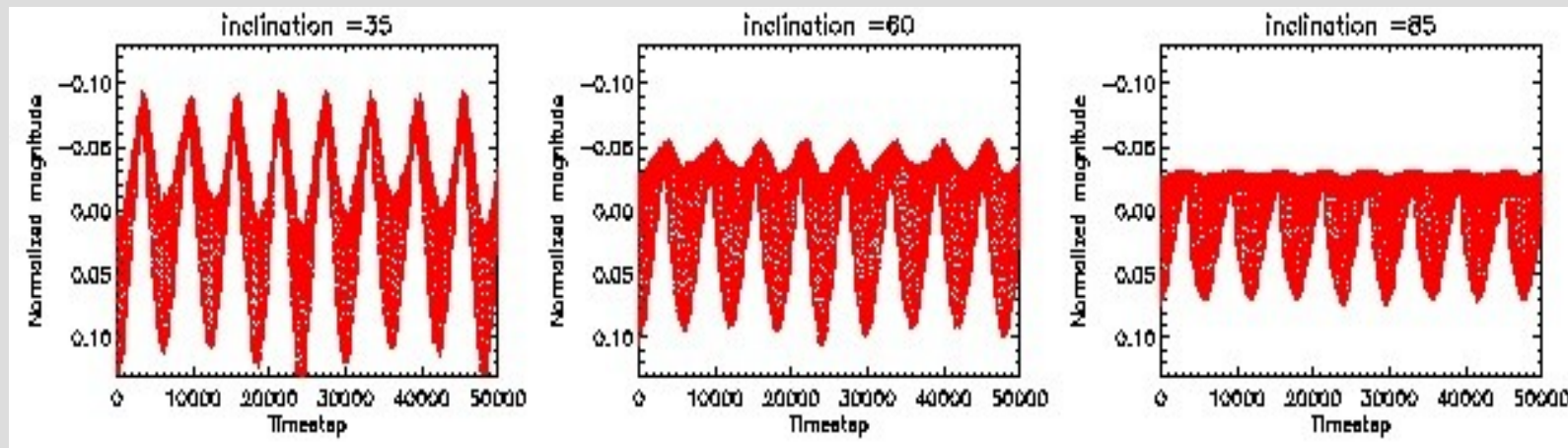
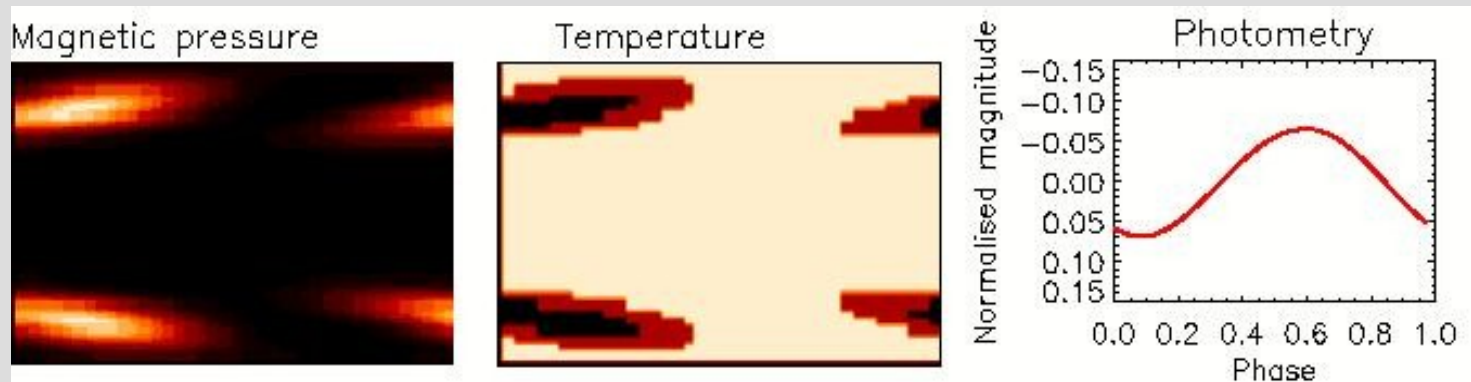
Anisotropic α -effect

Positive alpha on the
northern hemisphere

Figure:
Stellar view: magnetic
pressure on the surface
Cut view:
mg field vectors (arrows)
vertical fields (colours)

Light-curves from the dynamo models

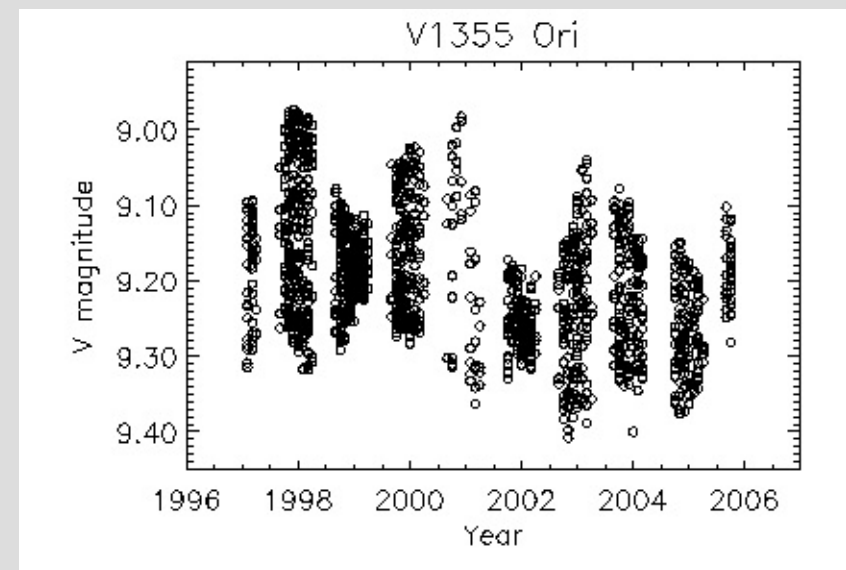
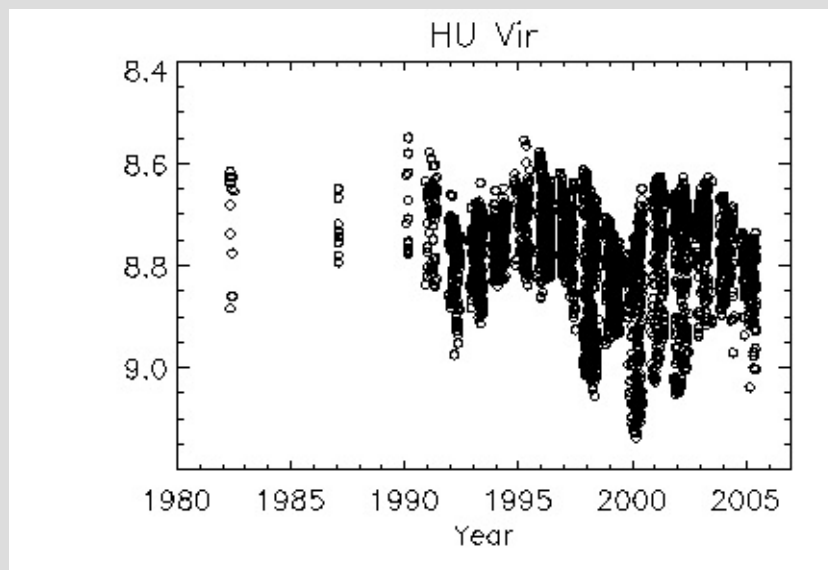
- The dynamo calculations were converted into synthetic photometric observations to study the patterns caused by the flip-flop phenomenon



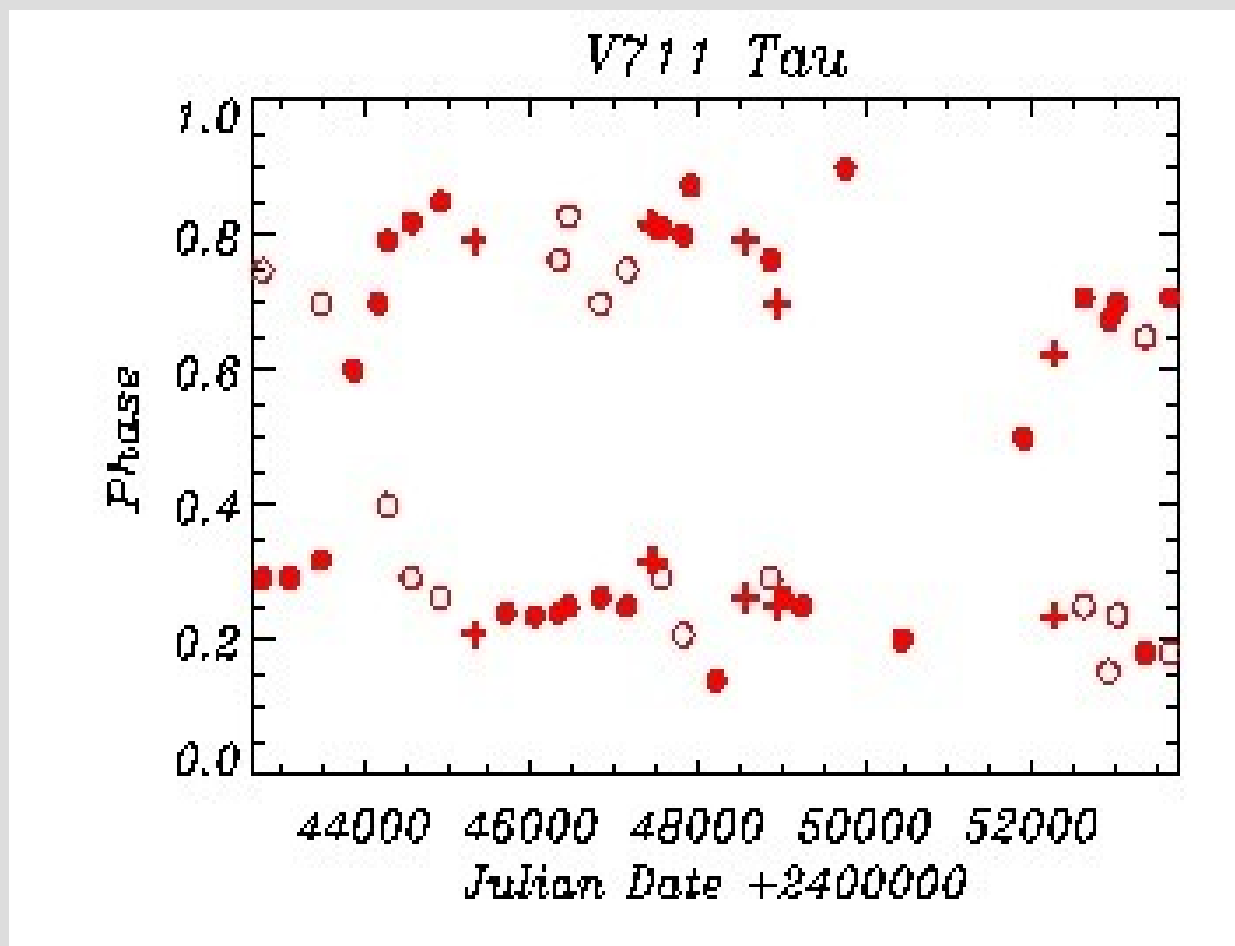


Finding new flip-flop stars

- Interesting targets for further study from old photometry
- Stars with long-term photometry similar to the modelling results
- Stars with already known active longitudes
- Investigated 15 stars using light-curve inversion techniques

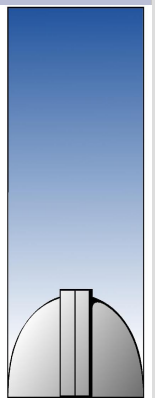
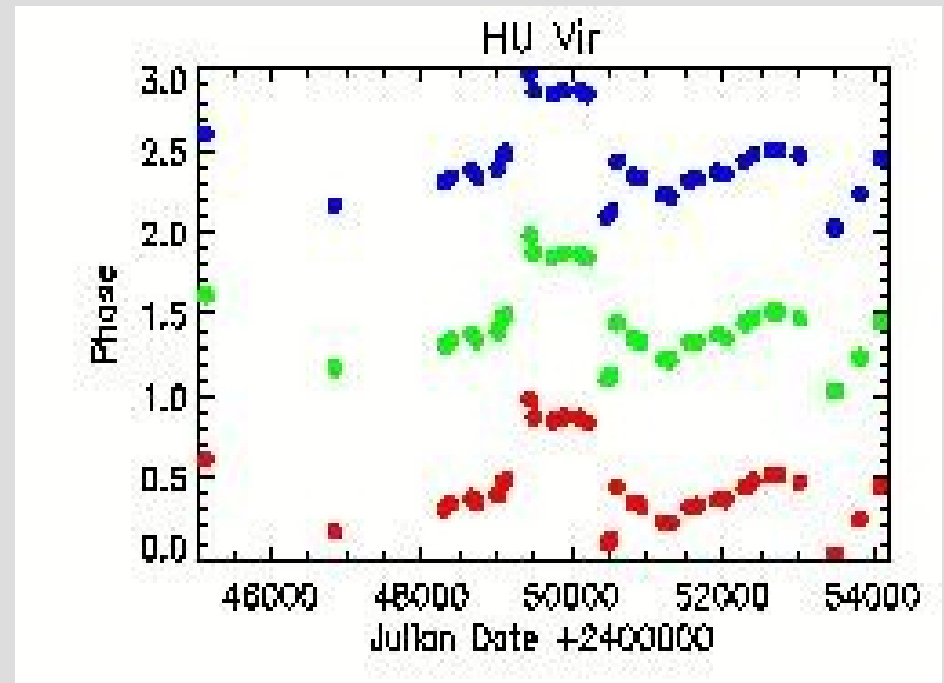
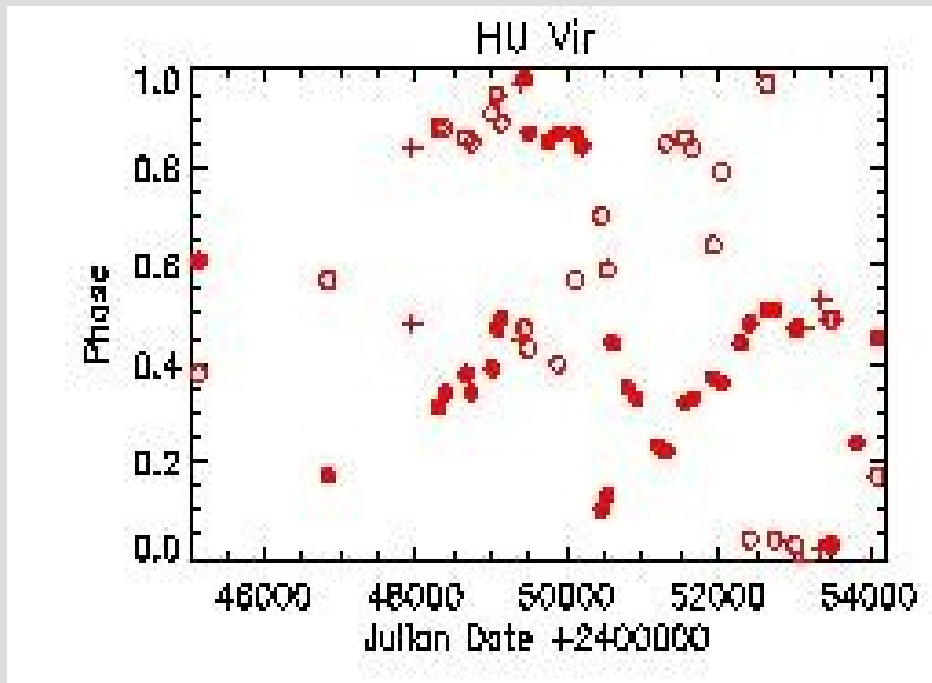


Sometimes phases nicely between 0 and 1

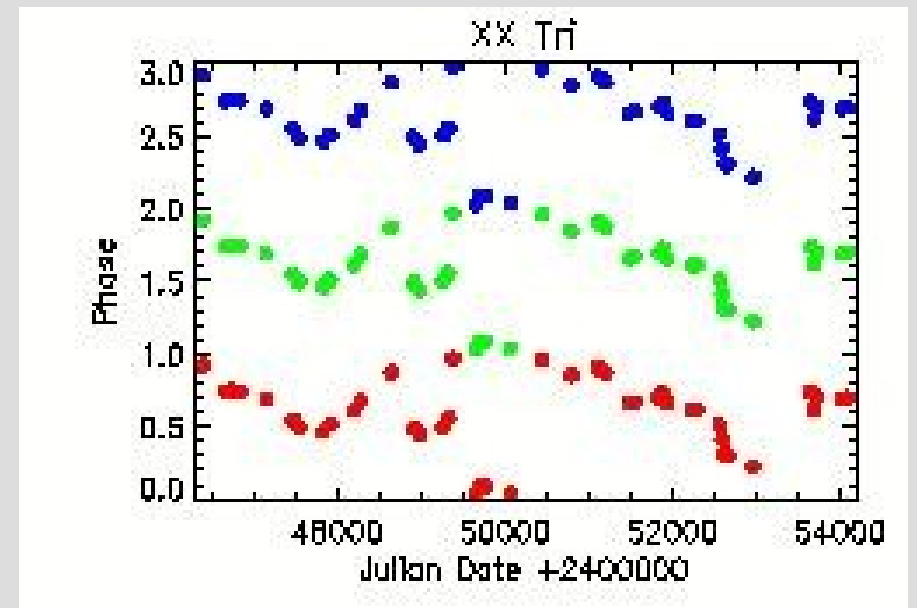
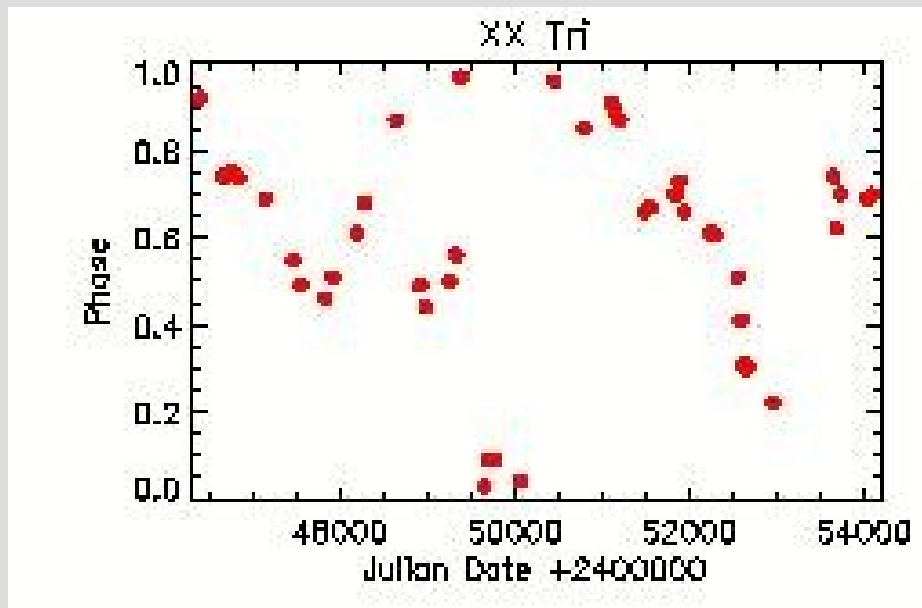




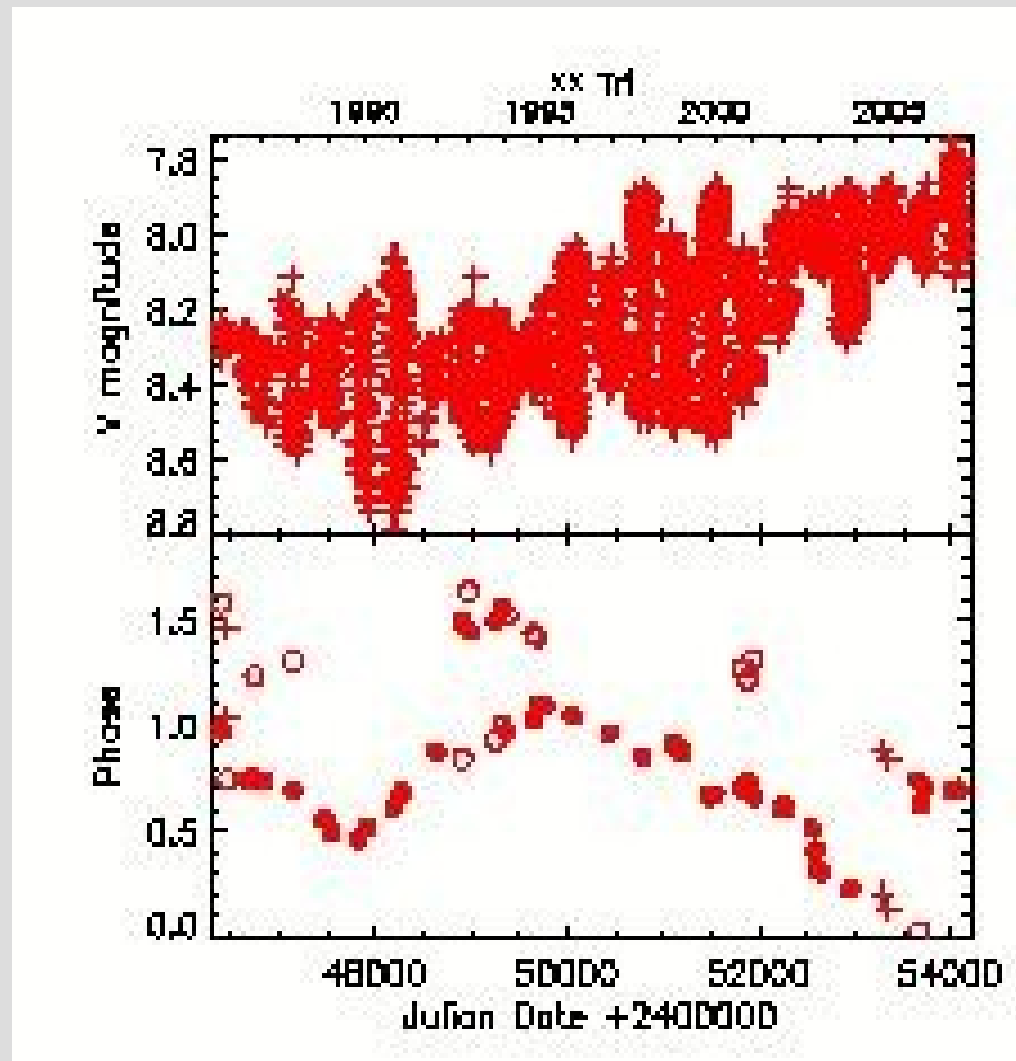
Sometimes a bit messier



One more example



And the same again





Something to try

- Use the programme Torben introduced yesterday for studying active stars
- You can find one data set from:

www.aip.de/~hkorhone/school/HUVir_test.dat

- The task is to try what kinds of periods you will find. And remember that we are not talking about pulsations here, but rotation periods of days and even much longer activity cycles

